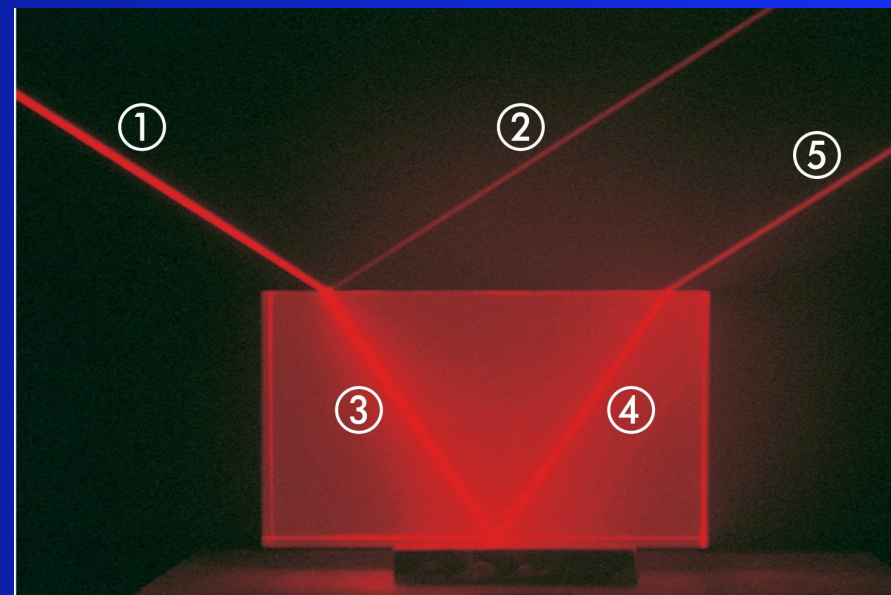


Physics 1C: Reflection & Refraction of Light

Wednesday, 29 April 2015



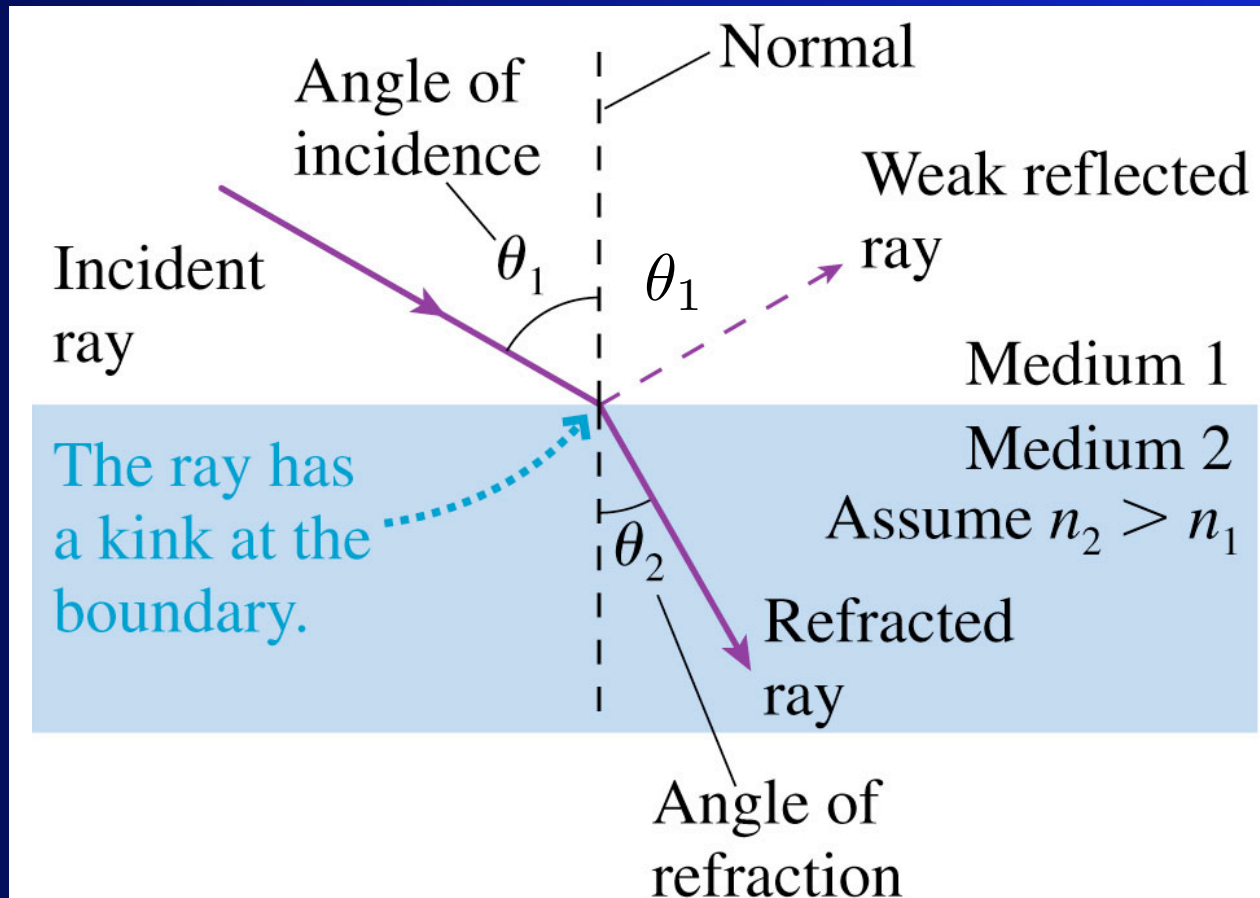
Reminders

- Quiz #2 results and answer key now available on TED site. average quiz score: 7.18 ± 1.40 . many missed last question.
- current participation scores are also posted – please check them (WebAssign's scoring system isn't the easiest to use)
- HW & reading quiz on reflection & refraction (chapter 25) due Friday
- 1st extra credit due Friday, if you're interested
- note: I'm having office hours this afternoon at 2-4pm (429 SERF building)

refraction: Snell's Law

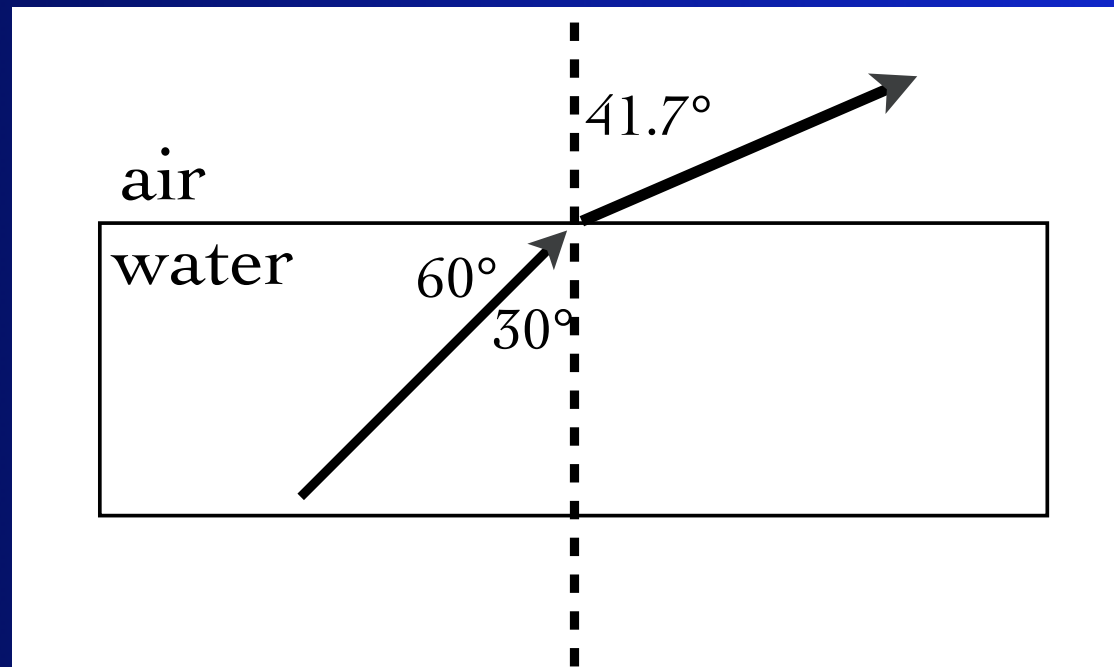
Snell's law: $n_1 \sin\theta_1 = n_2 \sin\theta_2$

where all angles are measured with respect to normal



example: refracted ray

Someone underwater shines a light toward the air.
Let's determine the refracted ray...



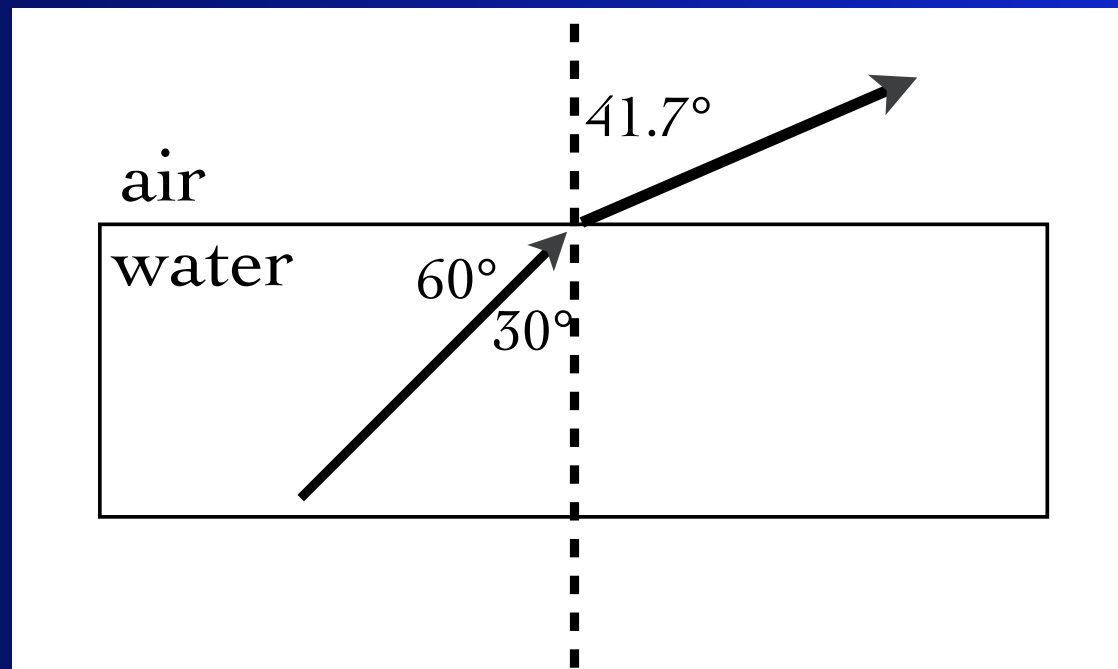
$$n_1 \sin\theta_1 = n_2 \sin\theta_2, \text{ so } (1.33)\sin 30^\circ = (1.00)\sin\theta_2$$

$$\text{then } \sin\theta_2 = 0.665, \text{ so } \theta_2 = 41.7^\circ$$

example: refracted ray

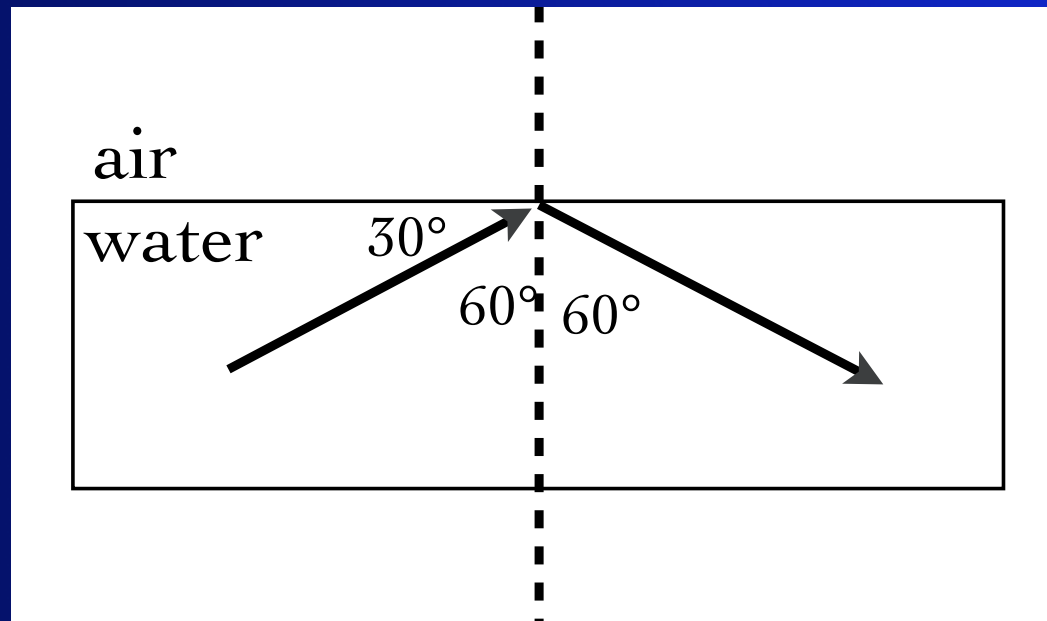
remember...

- high $n \rightarrow$ low n : angle goes away from the normal
- low $n \rightarrow$ high n : angle goes toward the normal



another example of refracted ray

Someone underwater shines a light toward the air, but at a larger angle. Let's determine the refracted ray...



$$(1.33)\sin 60^\circ = (1.00)\sin \theta_2$$

then $\sin \theta_2 = 1.15$, so $\theta_2 = ???$ this is *total internal reflection!*

total internal reflection

If the incident angle is larger than the critical angle θ_c , we have total internal reflection.

If the incident angle is smaller than the critical angle, refraction will occur.

$$\sin \theta_c = n_2/n_1$$

For the previous example (water \rightarrow air), $\sin \theta_c = 1.00/1.33$, so $\theta_c = 48.8^\circ$. For glass ($n = 1.52$) \rightarrow air, $\theta_c = 41.1^\circ$. Note that total internal reflection isn't possible when $n_2 > n_1$!

REFRACTION REVIEW

index of refraction: $n = c/v_{\text{medium}}$

When n increases, v decreases, and vice versa.

Since $v = \lambda f$, that means when n increases, λ decreases too:

$$\lambda_1 n_1 = \lambda_2 n_2$$

But why doesn't the frequency change? The main reason: the EM wave's energy $E = hf$ and energy must be conserved across the boundary, which implies that f is constant.

REFRACTION REVIEW

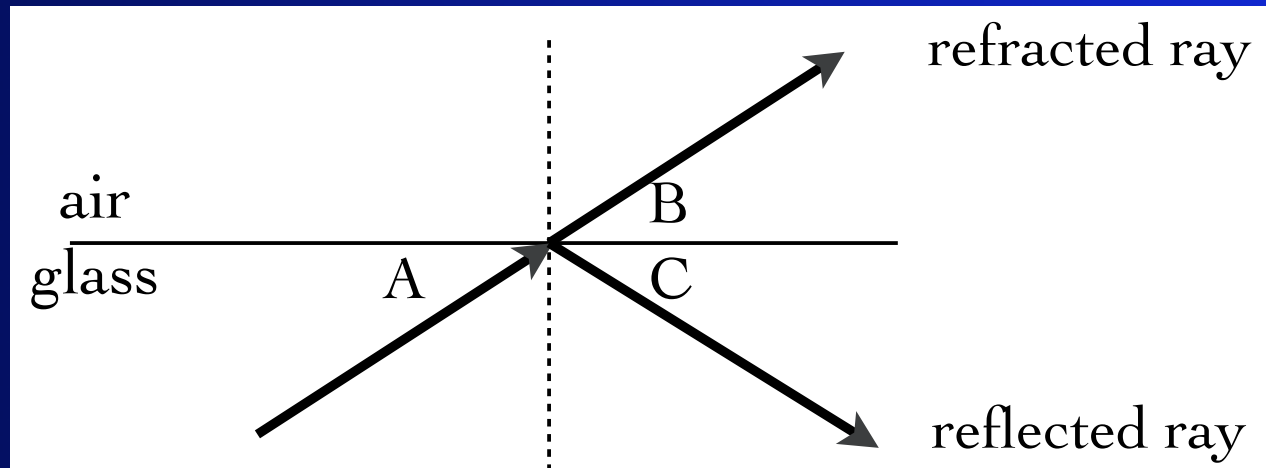
index of refraction: $n = c/v_{\text{medium}}$

law of refraction: $n_1 \sin\theta_1 = n_2 \sin\theta_2$

This implies that if light's going from fast to slow ray refracted *toward* the normal, and vice versa

total internal reflection: $\sin \theta_c = n_2/n_1$

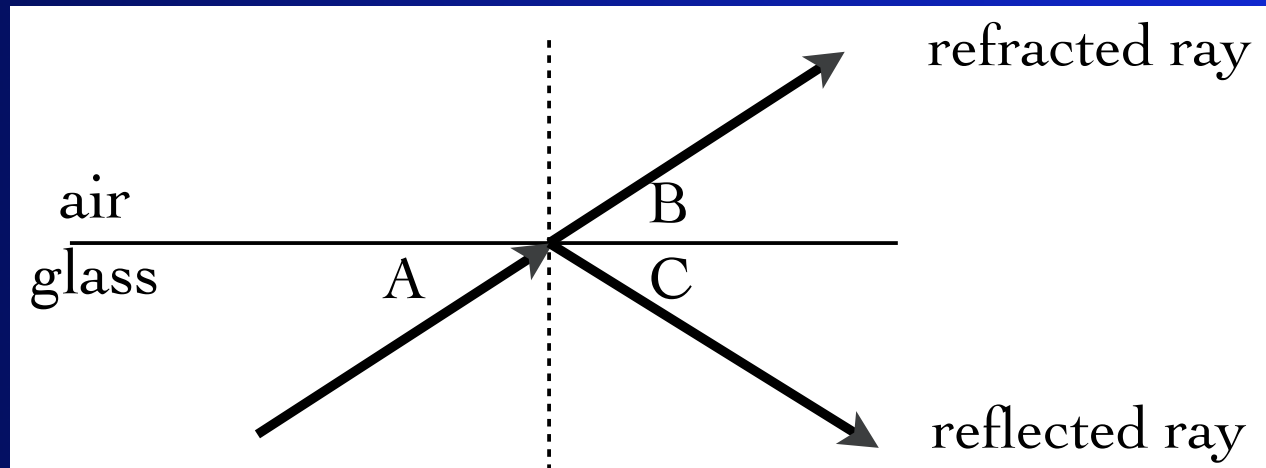
example: reflection & refraction



Assume that total internal reflection does not occur. Which angle is largest? (Note that the drawing isn't necessarily to scale.)

- A. angle A
- B. angle B
- C. angle C
- D. both angles A and C
- E. all three angles are the same

example: reflection & refraction

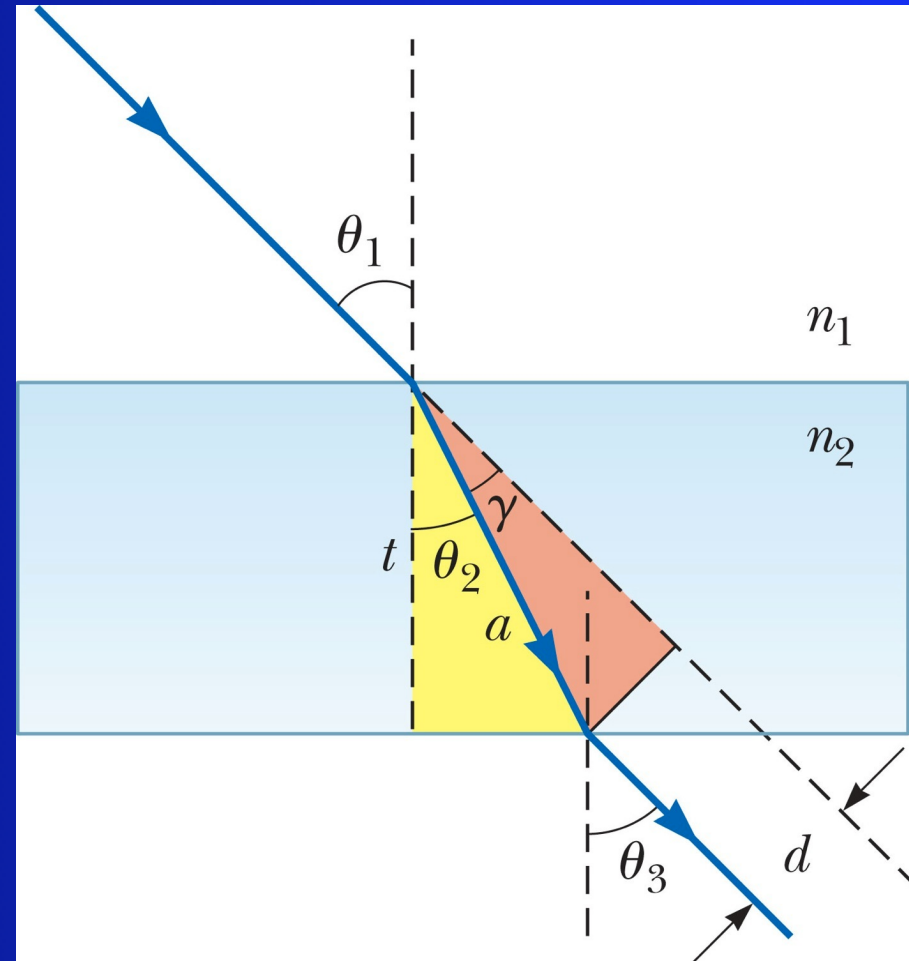


Assume that total internal reflection does not occur. Which angle is largest? (Note that the drawing isn't necessarily to scale.)

D. both angles A and C

example: light passing through a slab

A light beam passes from medium 1 to medium 2, with the latter medium being a thick slab of material whose index of refraction is n_2 . Show that the beam emerging into medium 1 from the other side is parallel to the incident beam...

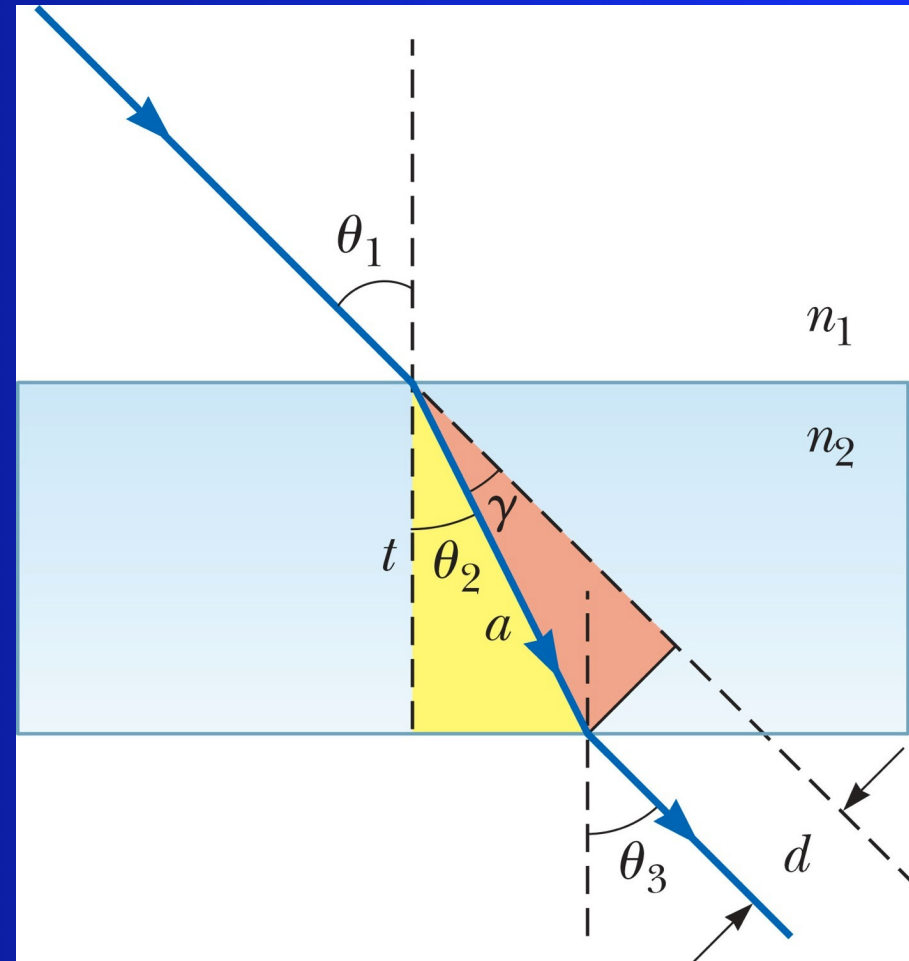


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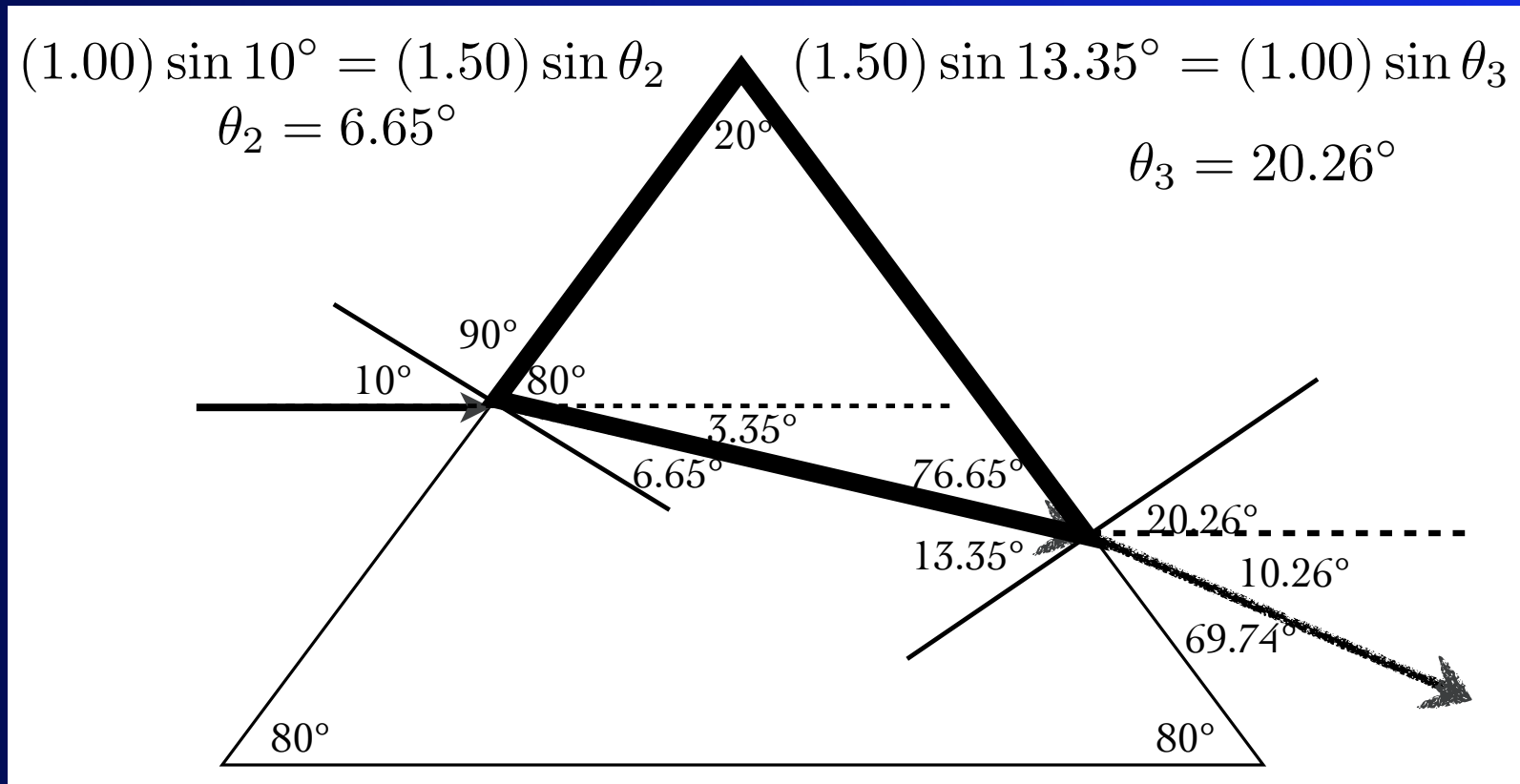
In other words, let's first show that $\theta_1 = \theta_3$.

Then, let's use trig & geometry to calculate d in terms of t , θ_1 & θ_2 .



example: refraction through a prism

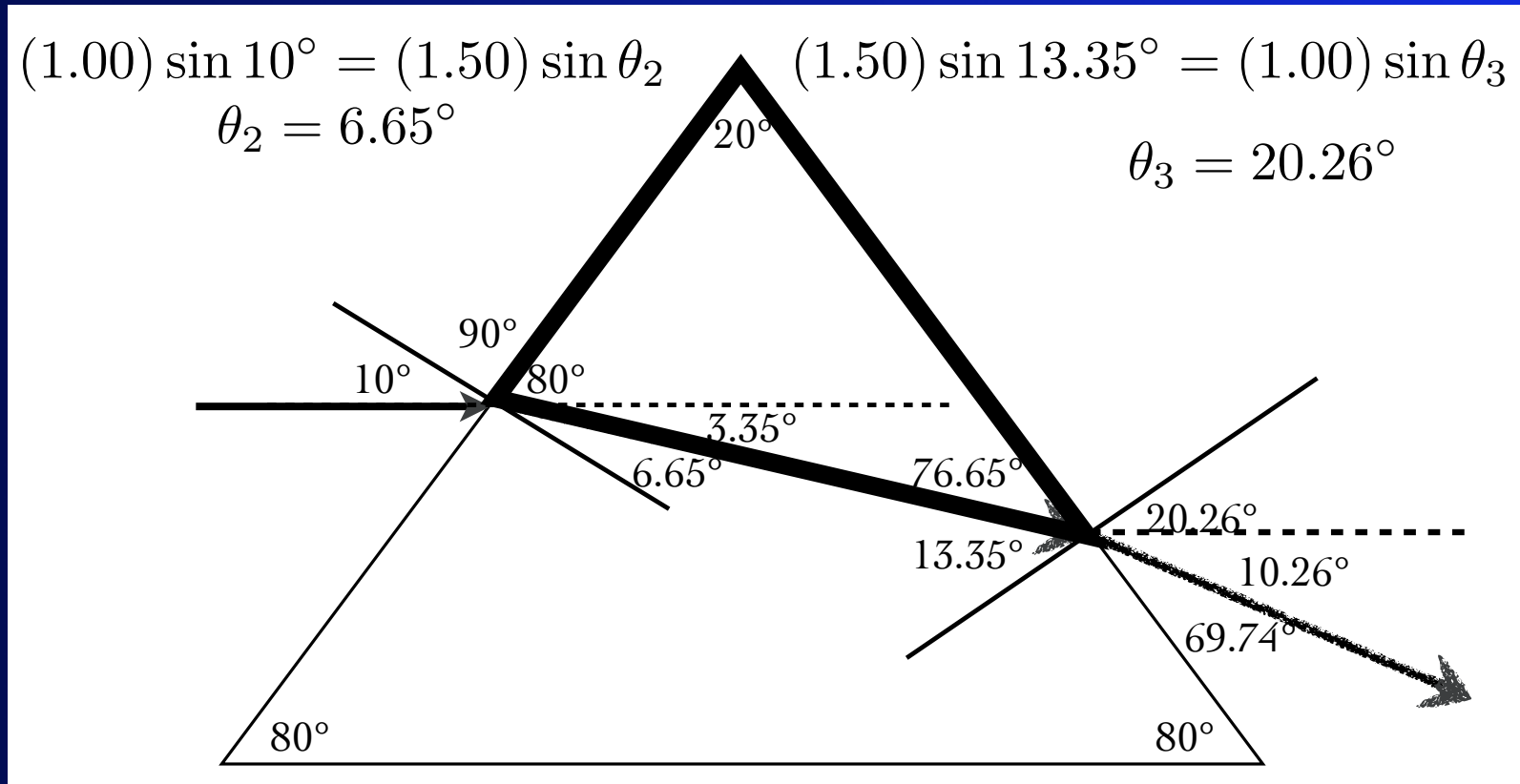
A ray of light travels from air into the glass ($n=1.50$) prism shown below. The triangle is isosceles with the top angle= 20° . Determine the refracted ray...



(figure is not drawn to scale)

Note that $10.26^\circ - 10.0^\circ$ is the *angle of deviation* for this ray and prism.

example: refraction through a prism

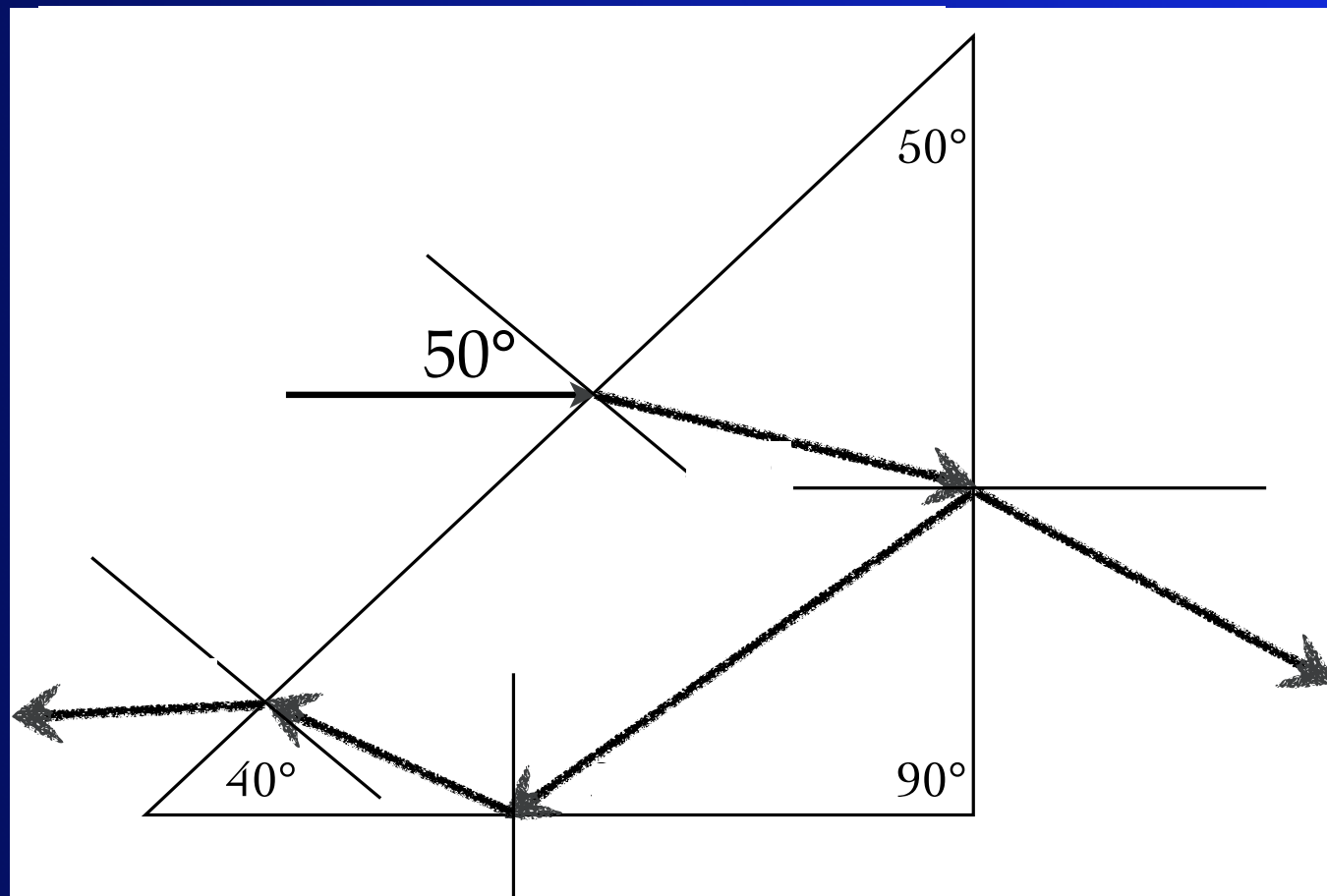


Analyze the law of refraction at one surface at a time, and remember to use the correct angles (with respect to normal) and indices of refraction.

It's useful to remember that right angles are 90° (or $\pi/2$) and angles of a triangle add up to 180° (or π).

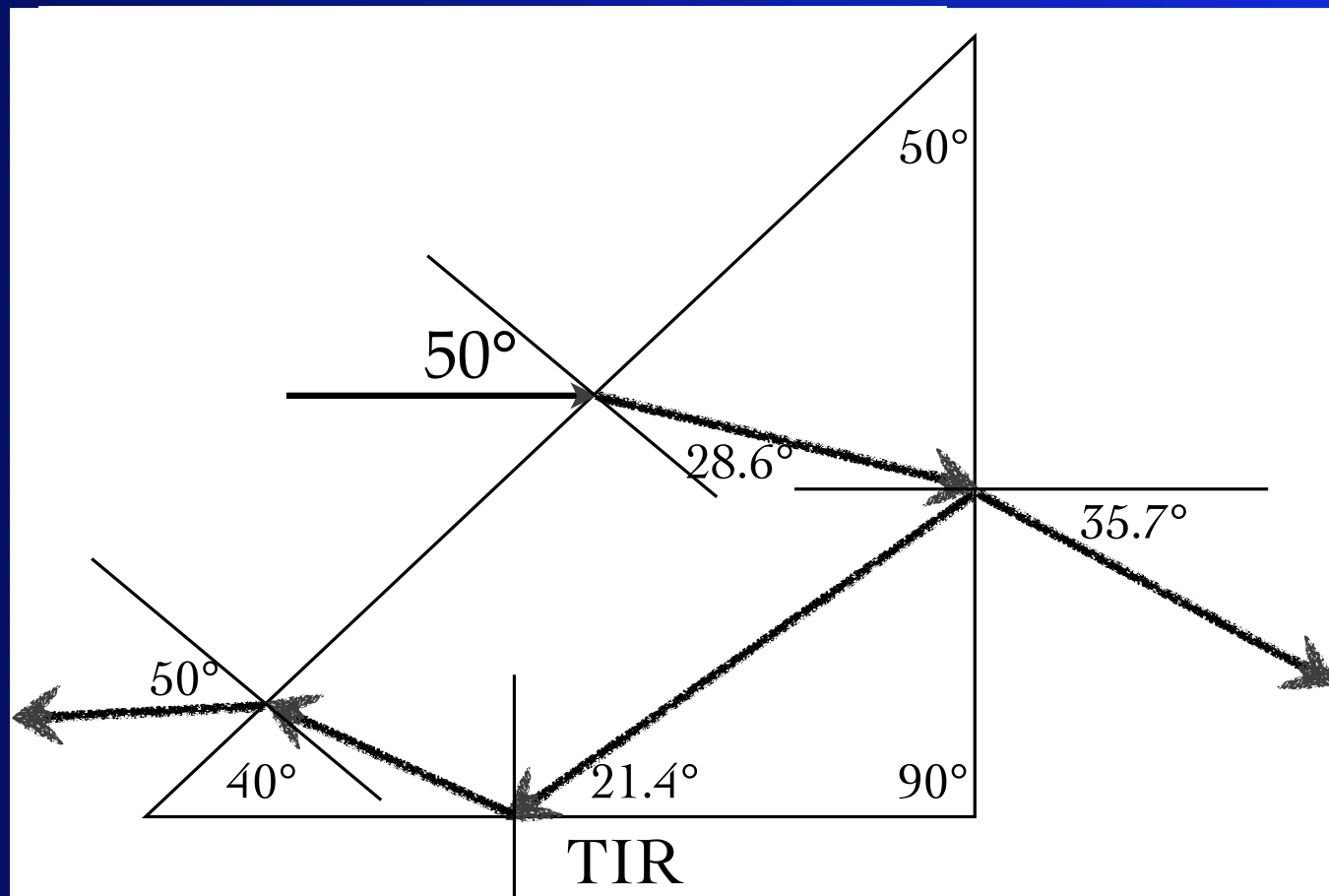
example: refraction through a prism

A horizontal ray travels from air to a medium with $n=1.60$. Its incident angle is 50° . At what angle does the ray exit the right side of the triangle? and the bottom? what about the left side?



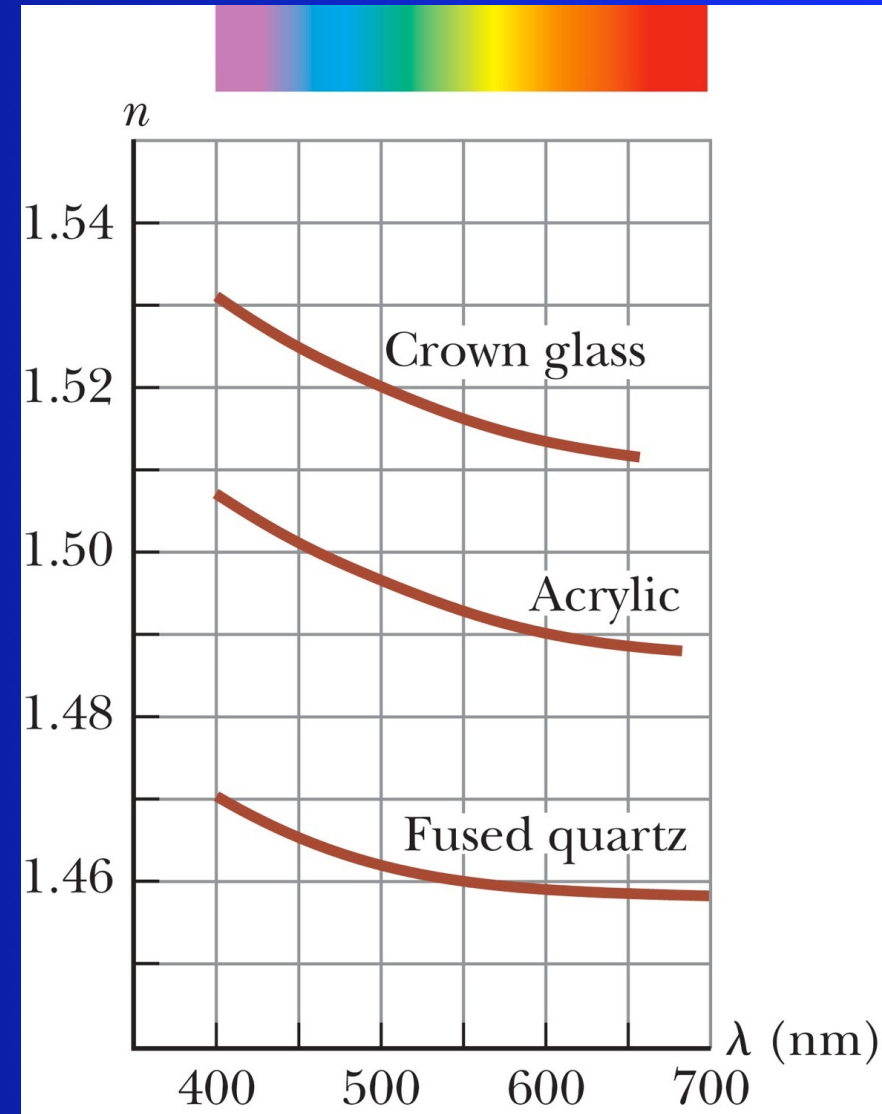
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dispersion

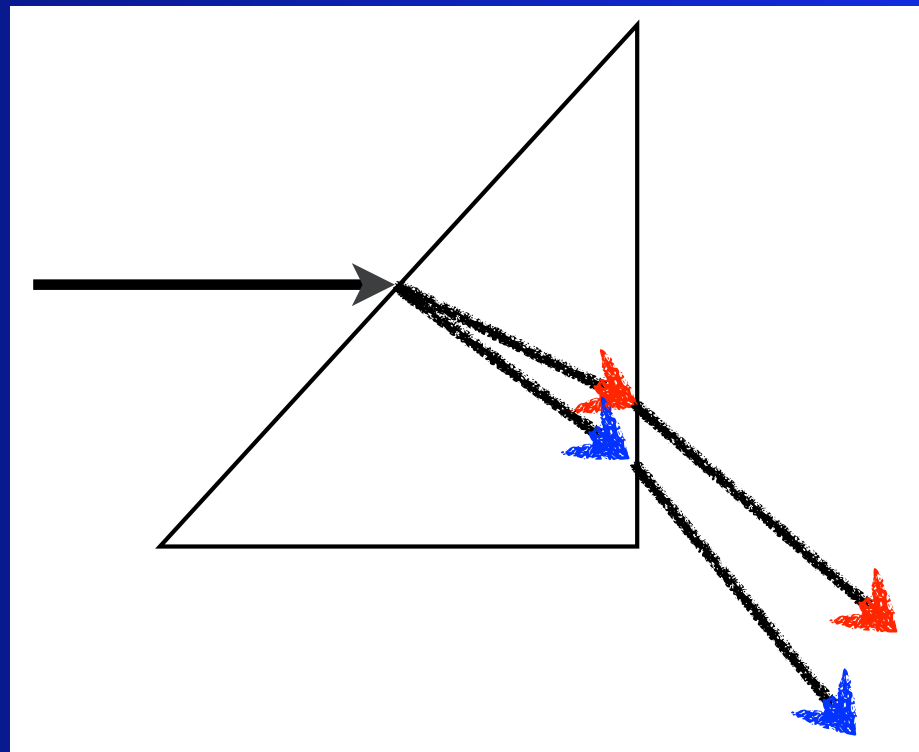
- index of refraction is not solely dependent on the medium (that is, you could have a range of n values)
- index of refraction is also different for different frequencies of light



example: dispersion

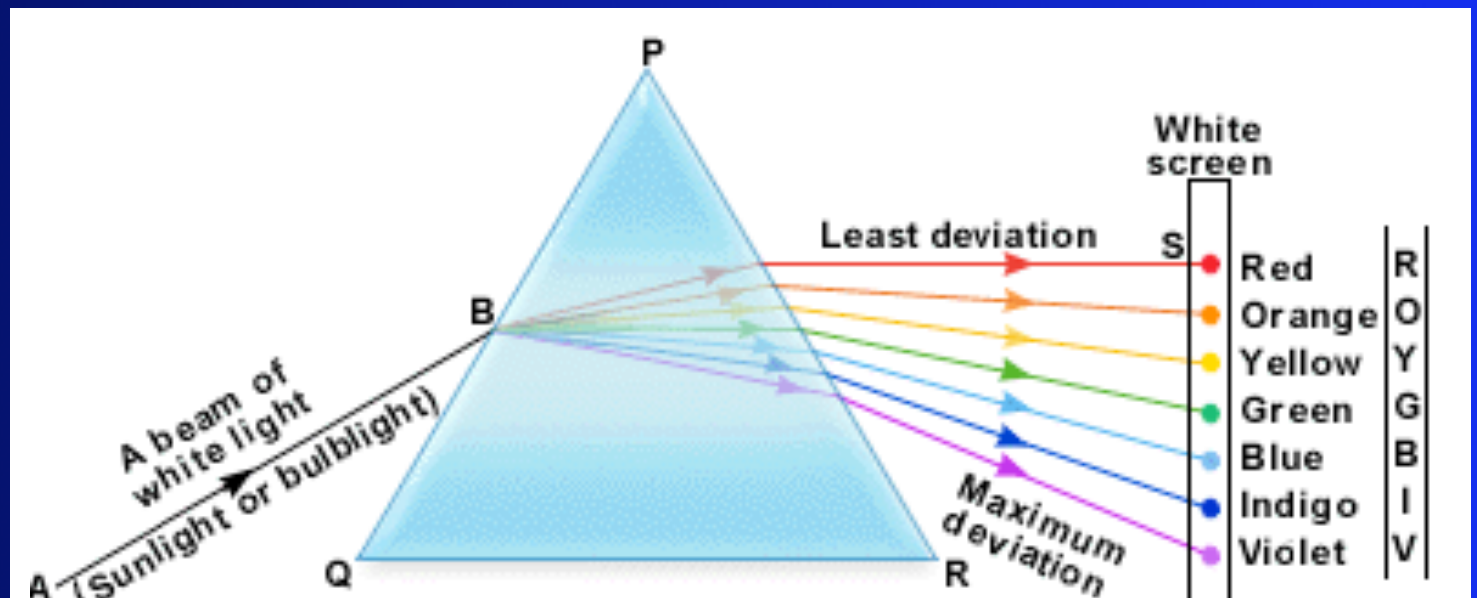
Both red ($n=1.60$) and blue ($n=1.62$) light is incident upon the prism shown. If the red light exits the prism at an angle of 35.7° (with respect to the normal), at what angle does the blue light exit the prism? [No calculations necessary.]

- A. 34.5°
- B. 35.7°
- C. 36.9°

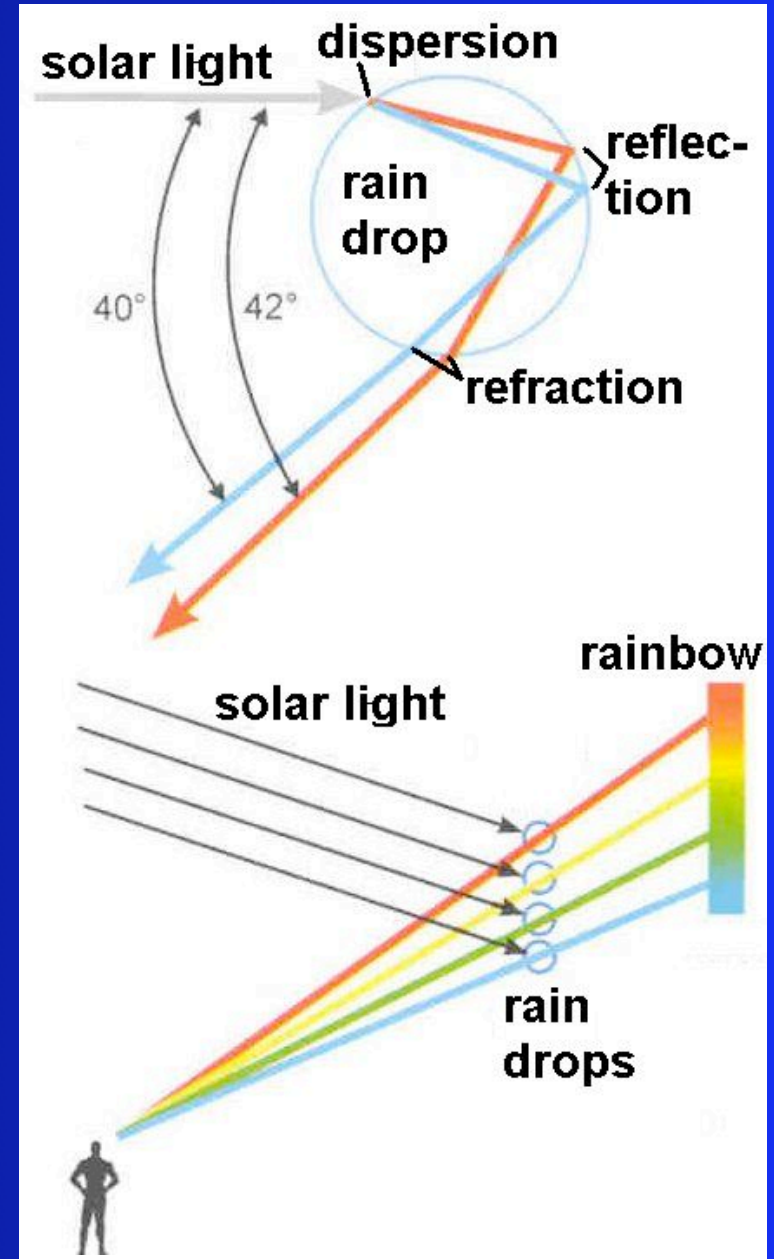
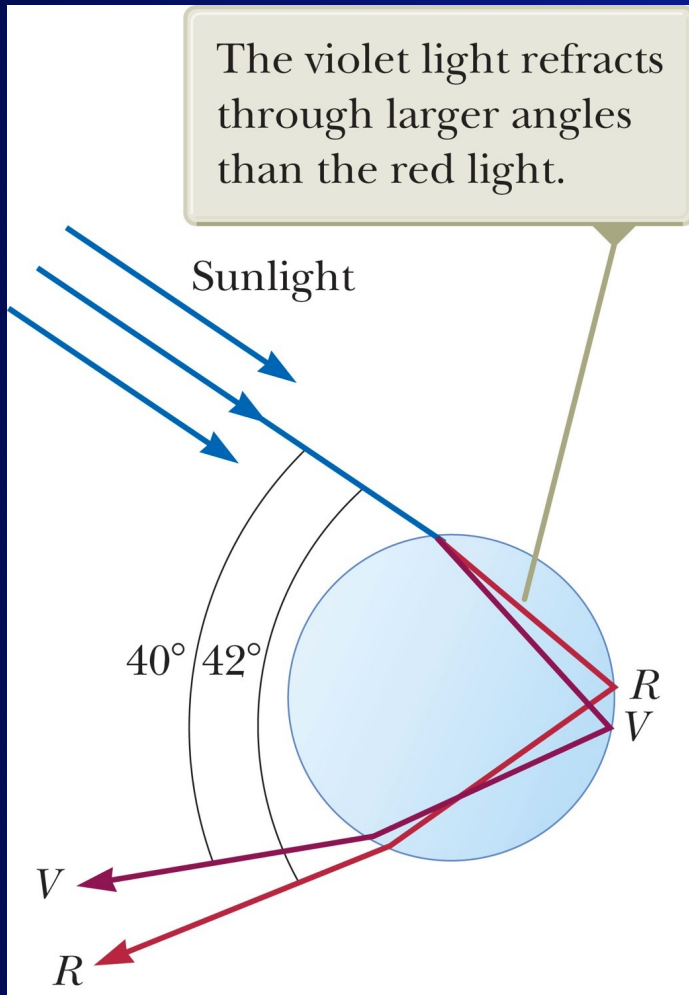


dispersion

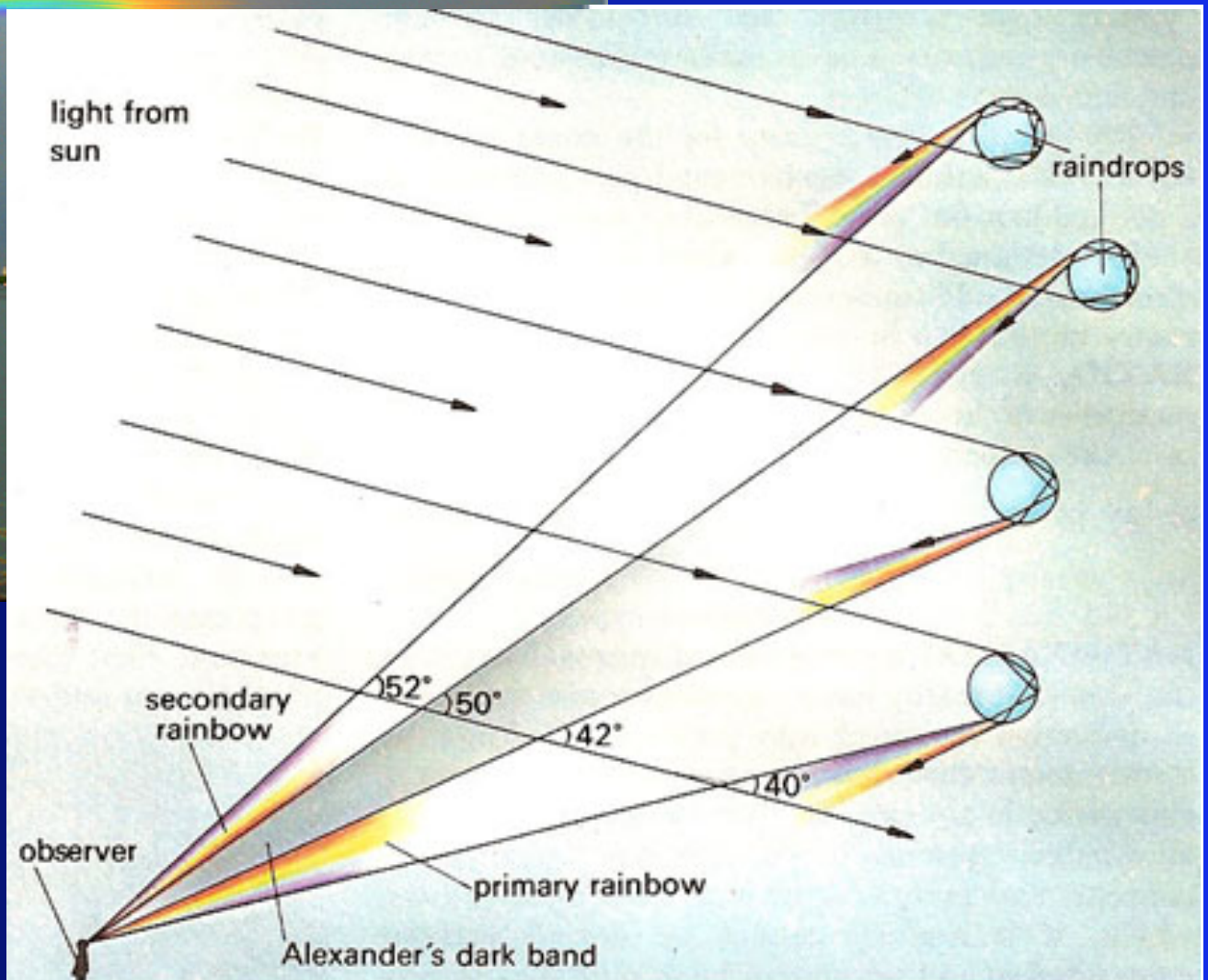
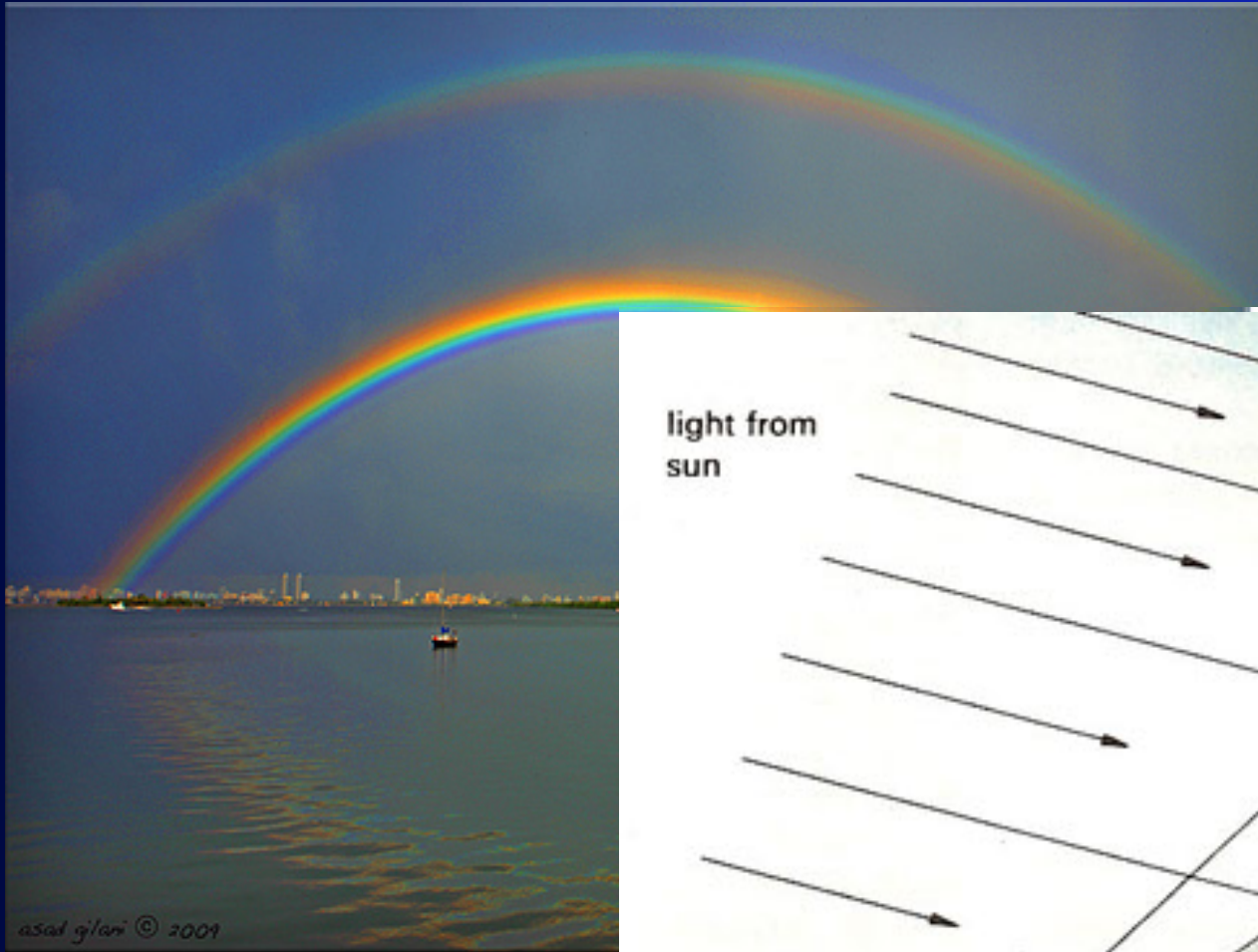
- Since all colors have different “angles of deviation” through a prism, white light will spread out into a *spectrum*
- violet deviates the most and red deviates the least
- it's good to remember Roy G. Biv, or make your own mnemonic



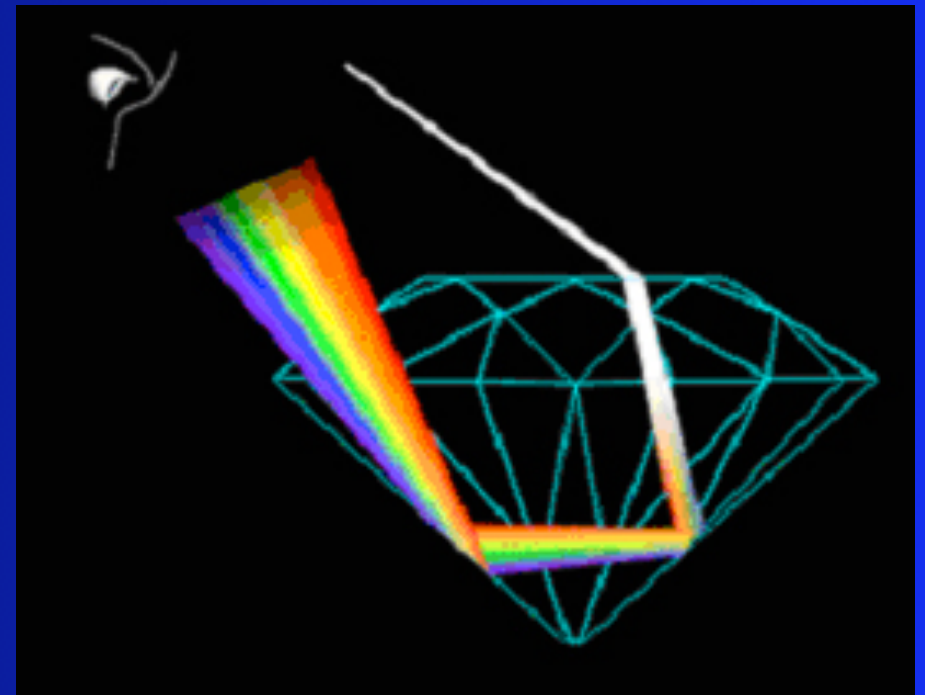
rainbows



rainbows



diamonds



next up: image formation

- we can see images formed by different types of mirrors and lenses
- the light rays diverge, creating an image that may appear different (such as different size) than the actual object
- images are located by extending diverging rays back to a point at which they intersect

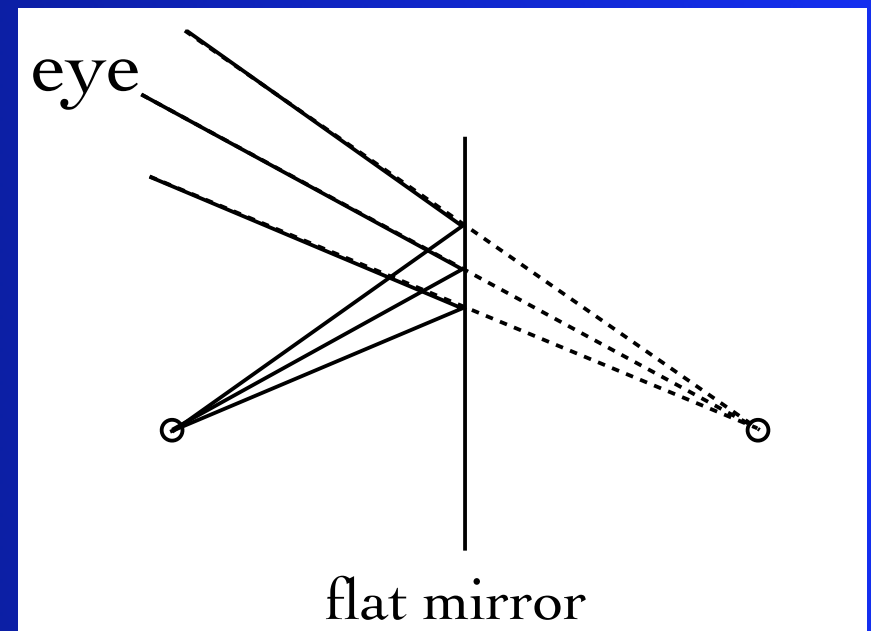
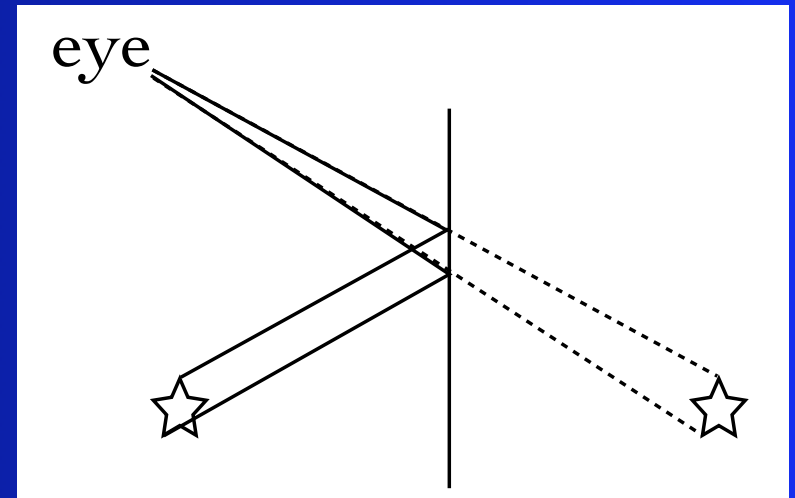


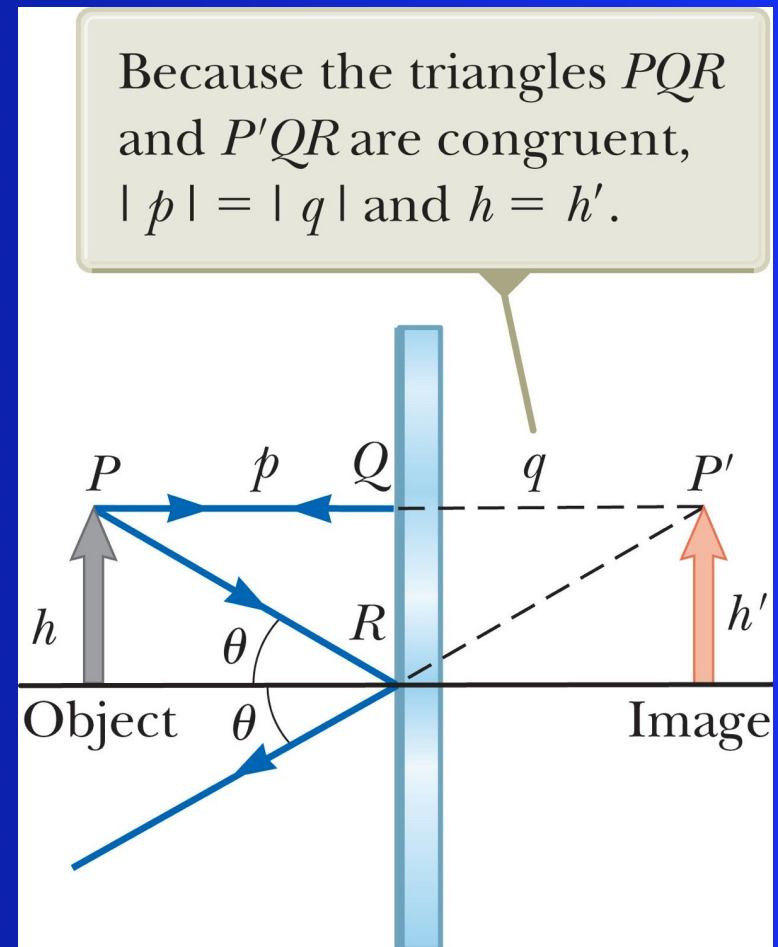
image formation by flat mirrors

- images are located by extending diverging rays back to a point at which they intersect
- distinction between a *real image* and a *virtual image*? what happens when mirror is flat or curved?



ray diagrams

- think about the trajectory of the rays and where the rays *appear* to travel
- distinction between a *real image* and a *virtual image*? (nothing is on the other side of the mirror!)



For Friday:

1. make sure you understand the laws of reflection and refraction, including total internal reflection and prisms
2. review chapter 25 and start reading chapter 26: images formed by mirrors & lenses
3. turn in the HW problems and reading quiz