

Star Formation & DLAs in Cosmological Simulations

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Outline

- Recipes for star formation (SF) & feedback in **cosmological simulations** -- past efforts
- Some highlighted results on galaxies and DLAs from Eulerian & SPH simulations
- Alternative SF recipe: Blitz's pressure criteria
- Problems in current simulations
- Future efforts

SF recipes

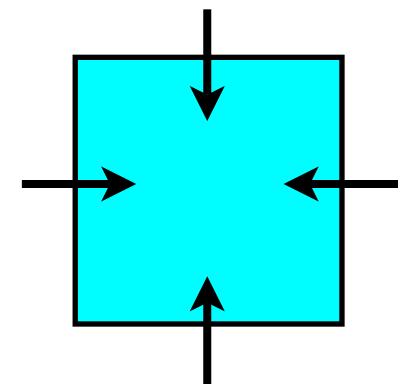
Two basic models:

- Cen & Ostriker (1992)
Eulerian hydro simulation
- Springel & Hernquist (2003):
SPH (smoothed particle hydrodynamics),
subparticle multiphase ISM model -- extention of
Yepes et al. (1997)

Cen & Ostriker (1992)

- 4 criteria for a cell to be star-forming:

1. $\delta > \delta_{\text{th}}$ (overdense)
2. $\nabla \cdot \vec{v} < 0$ (contracting)
3. $t_{\text{cool}} < t_{\text{dyn}}$ (cooling fast)
4. $m_{\text{gas}} > m_{\text{Jeans}}$ (Jeans unstable)



then,

$$\dot{\rho}_* = c_* \frac{\rho_g}{t_*} \quad (c_* \sim 0.1)$$

if $t_* = t_{\text{dyn}} \propto \frac{1}{\sqrt{G\rho}}$ $\rightarrow \dot{\rho}_* \propto \rho_g^{1.5}$

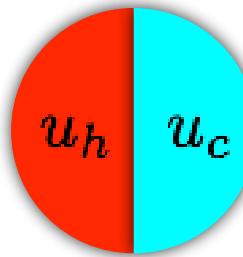
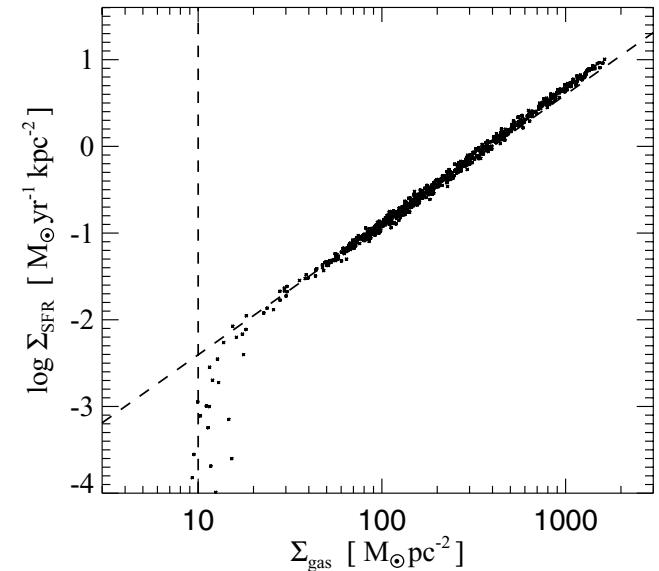
Springel & Hernquist (2003)

Yepes+ '97

$$\dot{\rho}_\star = (1 - \beta) \frac{\rho_c}{t_\star}$$

cold gas

$$t_\star = t_\star^0 \left(\frac{\rho_g}{\rho_{\text{th}}} \right)^{-0.5} \quad t_\star^0 = 2.1 \text{ Gyr}$$



subparticle multiphase ISM model

$$\rho_h \frac{du_h}{dt} = \beta \frac{\rho_c}{t_\star} (u_{sn} + u_c - u_h) - A \beta \frac{\rho_c}{t_\star} (u_h - u_c) - f \Lambda_{net}$$

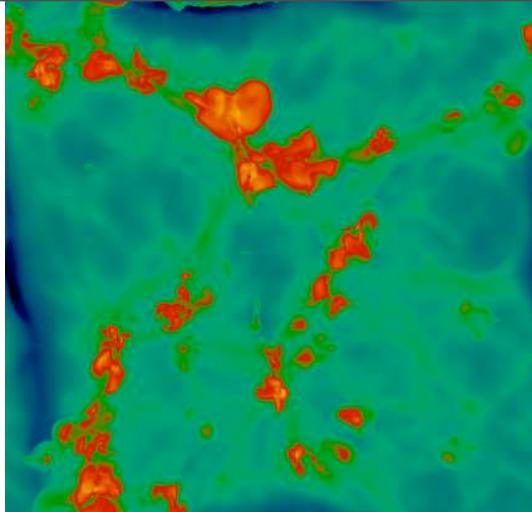
$$u_c = \text{const.}$$

Feedback

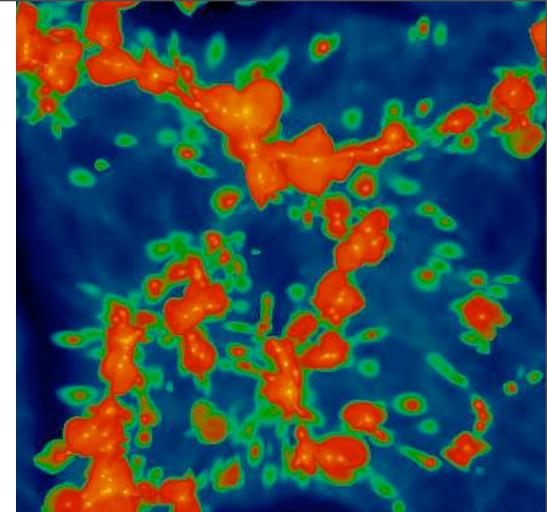
- Cen, KN & Ostriker '05

$$\Delta E_{SN} = \epsilon_{sn} m_\star c^2$$

$$(\epsilon_{sn} = 10^{-6} - 10^{-5})$$



temperature



metallicity

$$\Delta E_{UV} = f_{esc,Z} \epsilon_{uv,Z} m_\star c^2$$

$$(\epsilon_{uv,Z} = 10^{-6} - 10^{-4}) \quad (f_{esc} = 2 - 4\%)$$

$$\Delta E_{AGN} = f_\nu \epsilon_{AGN} m_\star c^2$$

$$(\epsilon_{AGN} \sim 10^{-5})$$

- Springel & Hernquist '03

$$\frac{d\rho_c}{dt} \Big|_{EV} = A\beta \frac{\rho_c}{t_\star}.$$

(evaporation of cold gas by SN feedback)

$$A(\rho) = A_0 \left(\frac{\rho}{\rho_{th}} \right)^{-4/5},$$

(McKee & Ostriker '77)

Self-regulated star formation

$$\rho_{th} = \frac{x_{th}}{(1-x_{th})^2} \frac{\beta u_{SN} - (1-\beta)u_c}{t_0^\star \Lambda(u_{SN}/A_0)},$$

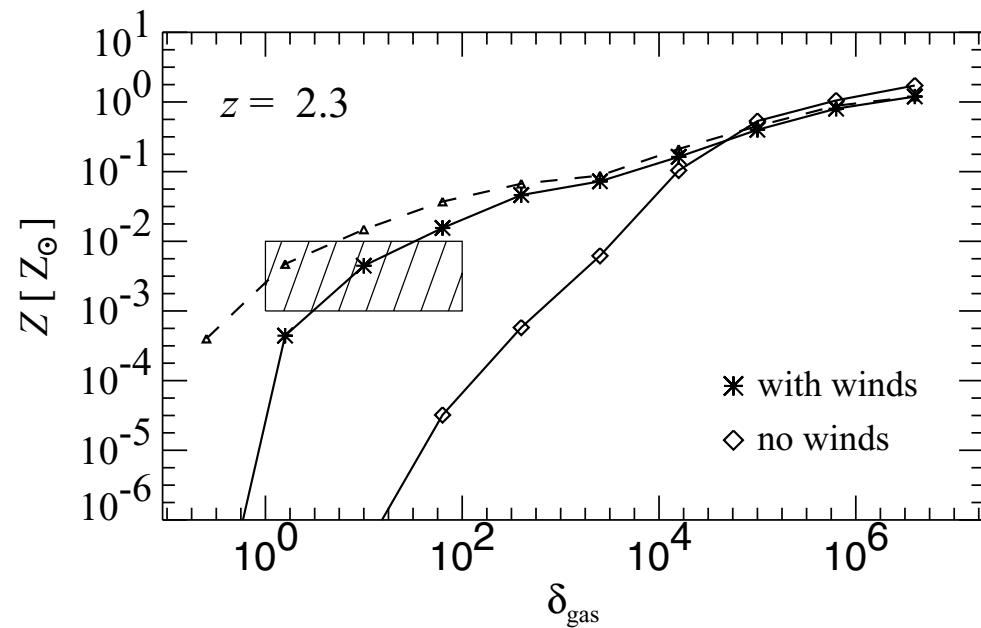
Galactic wind in SPH simulation

mass loss rate:

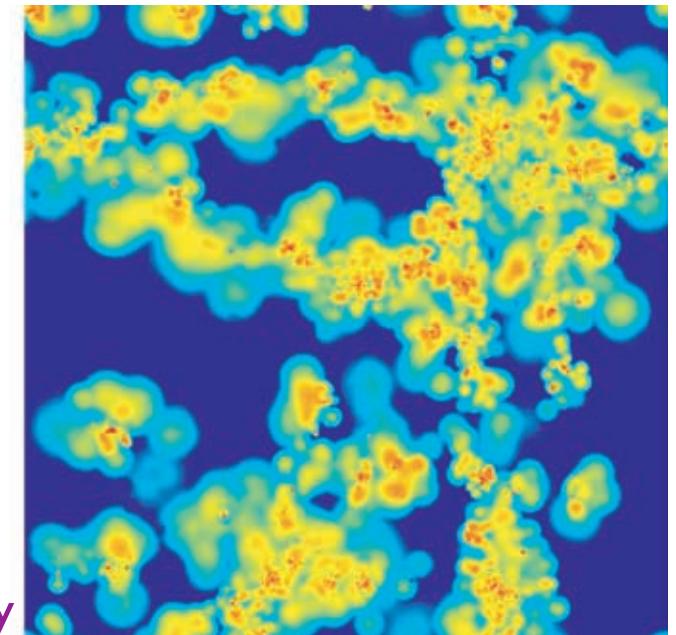
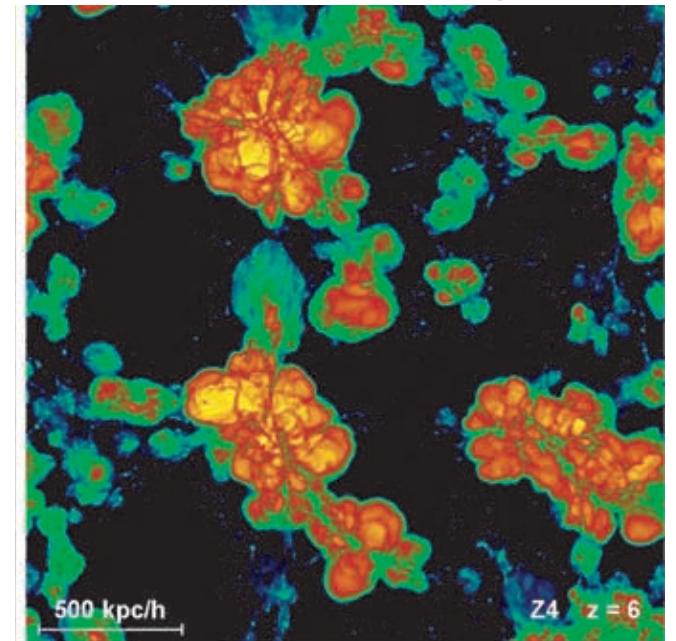
$$\dot{M}_w = \eta \dot{M}_\star, \quad (\eta = 2)$$

wind energy:

$$\frac{1}{2} \dot{M}_w v_w^2 = \chi \epsilon_{SN} \dot{M}_\star, \quad (\chi = 0.25)$$

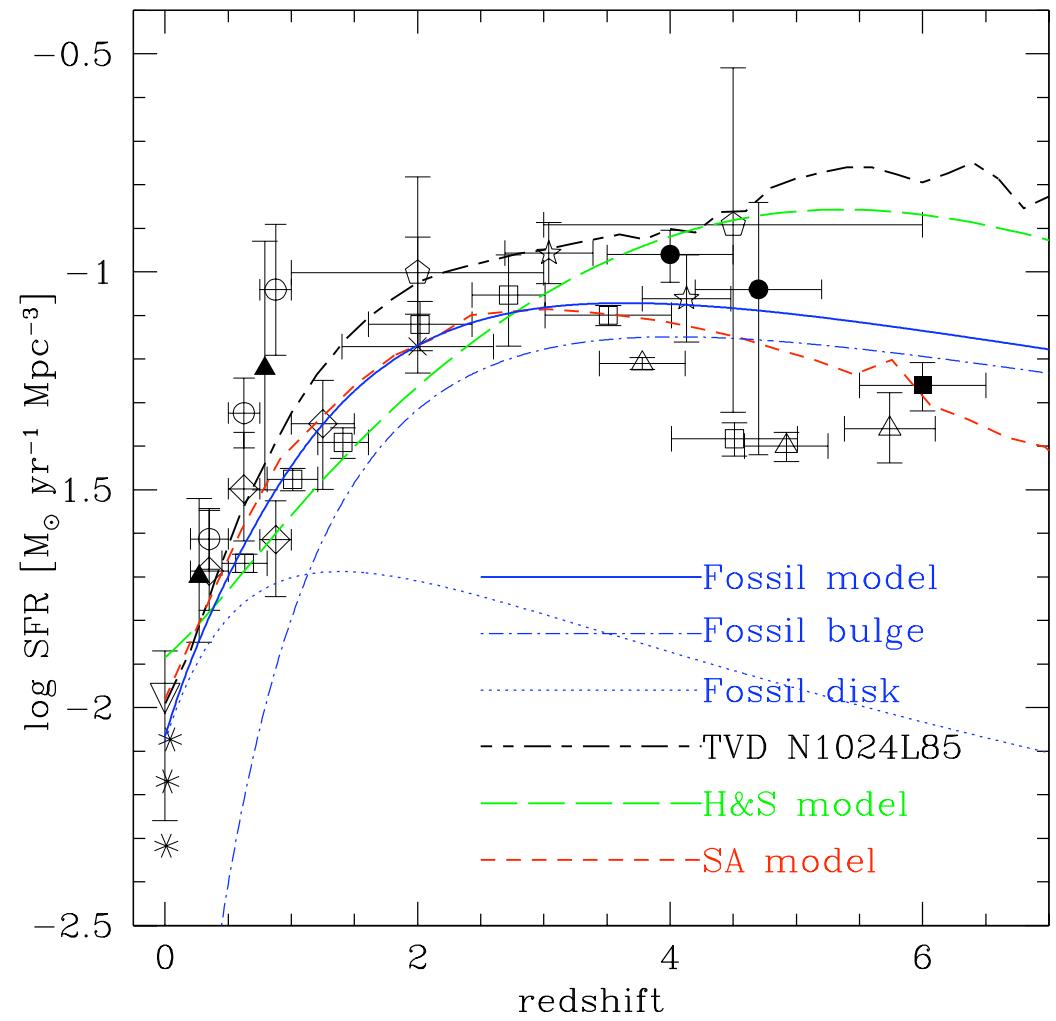
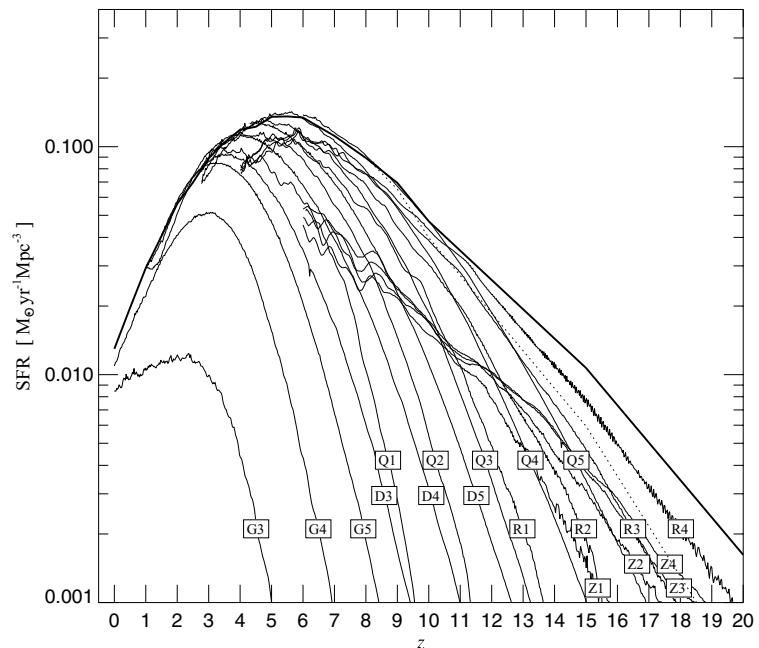
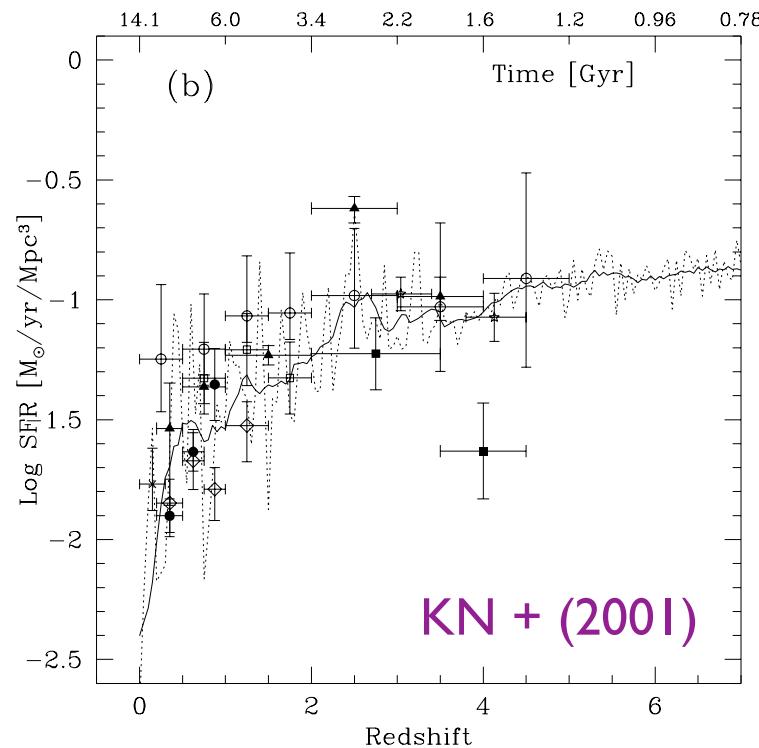


metallicity



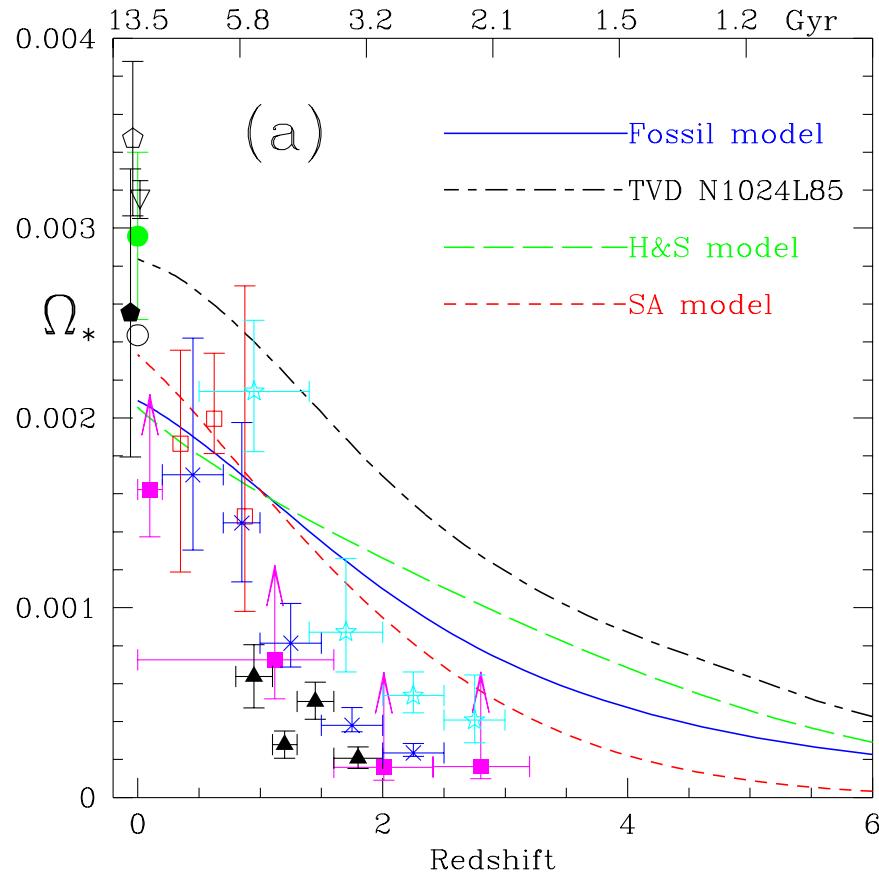
Some highlighted results on galaxies and DLAs

Cosmic Star Formation History



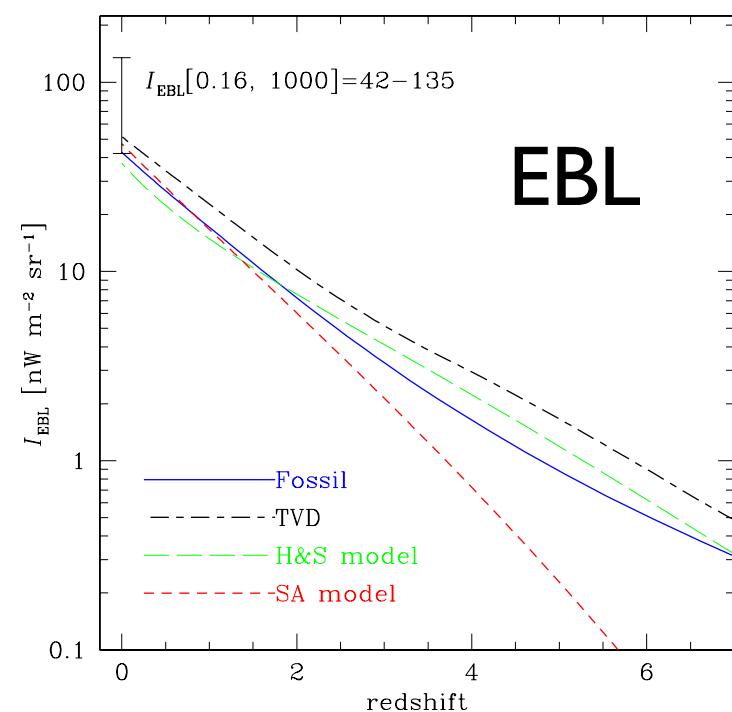
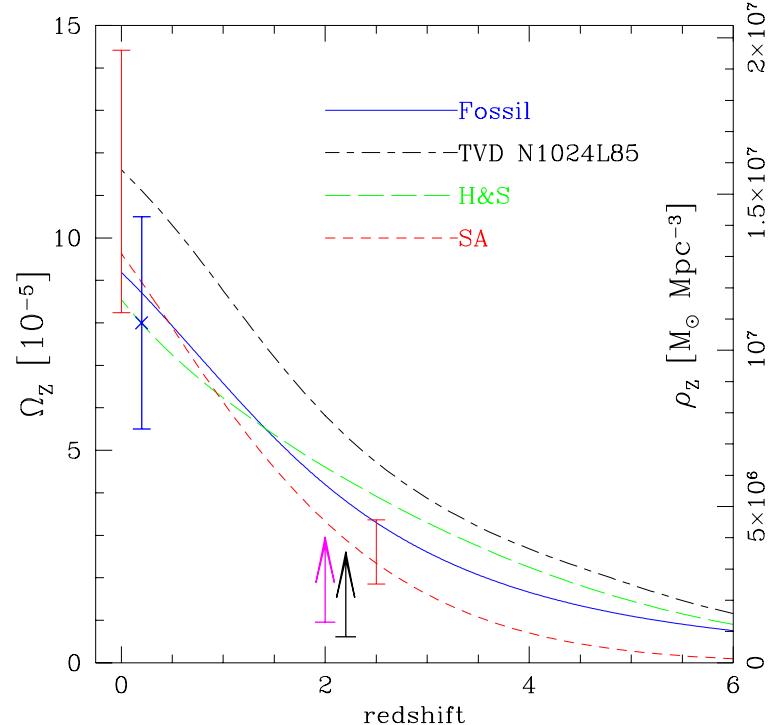
Springel & Hernquist (2003)

Stellar mass density



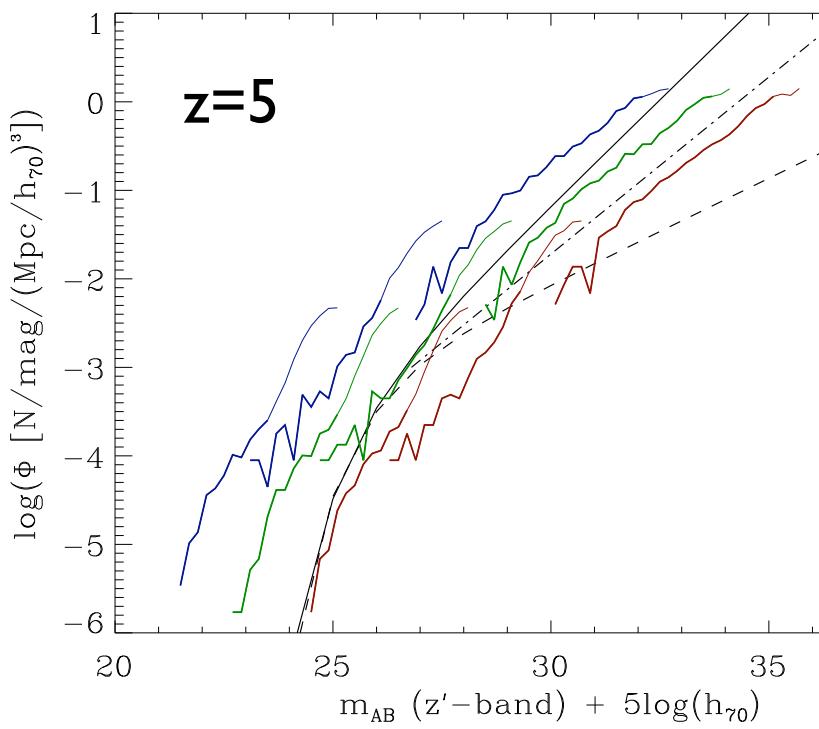
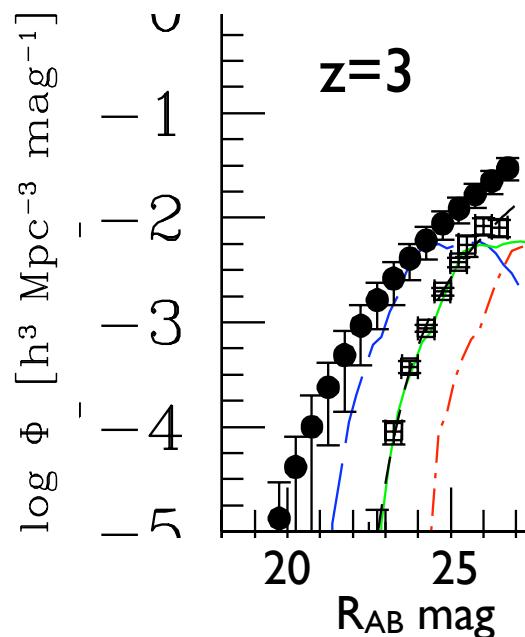
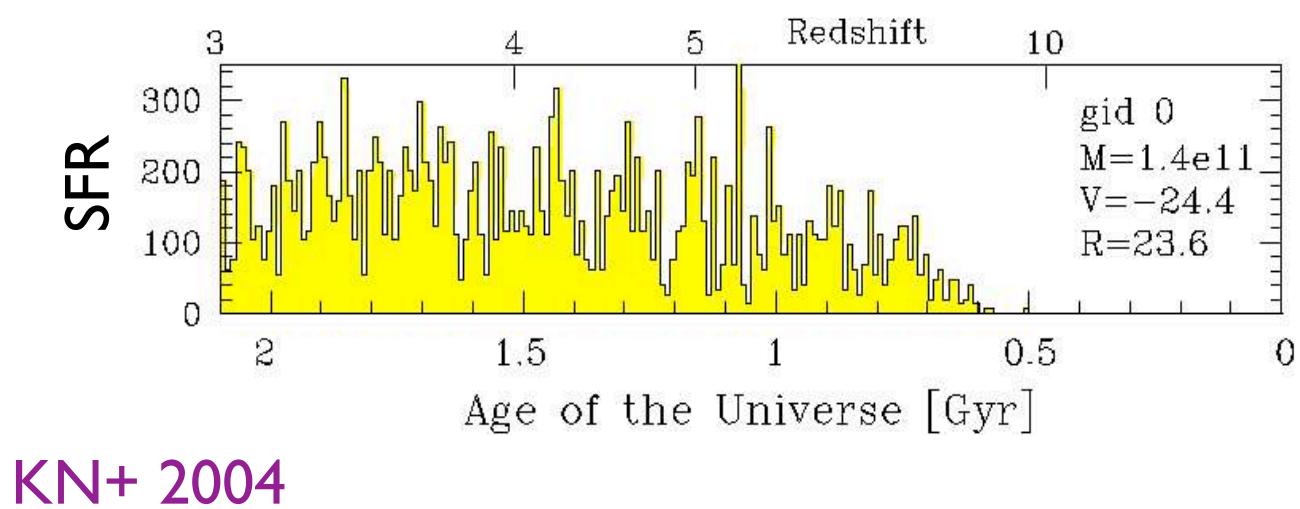
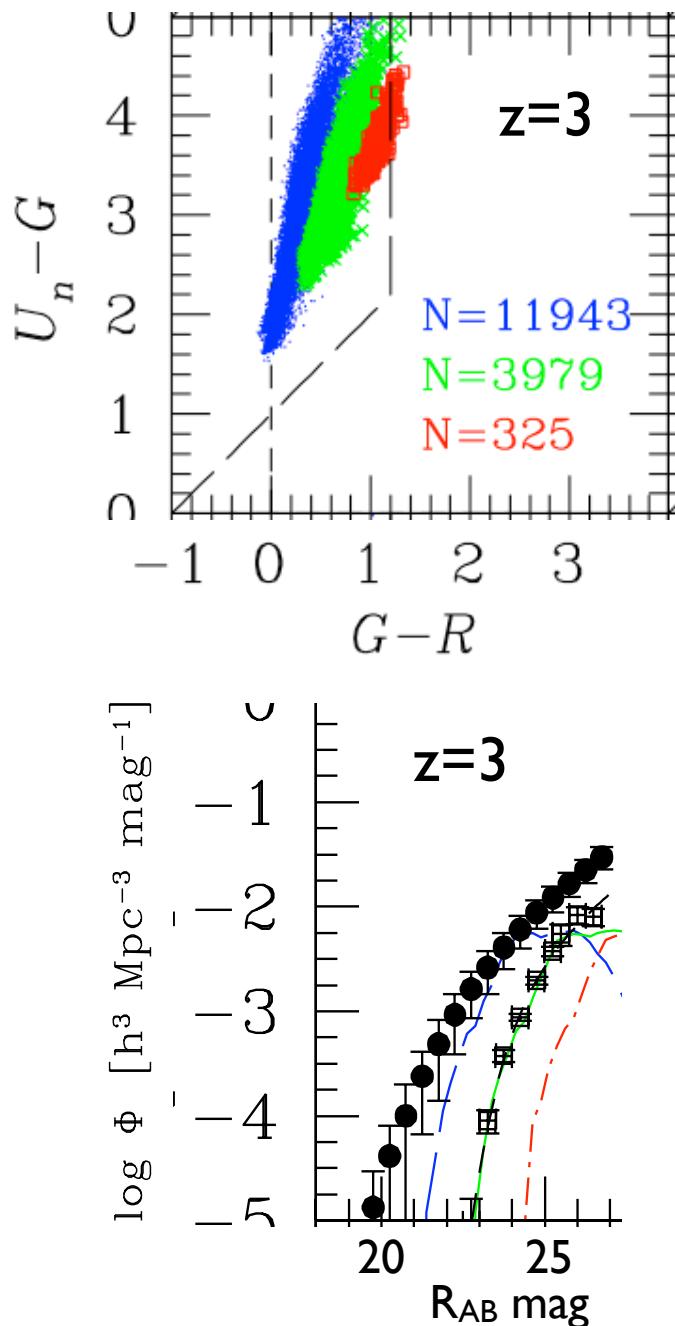
KN+ 2004, 2006

Metal mass density



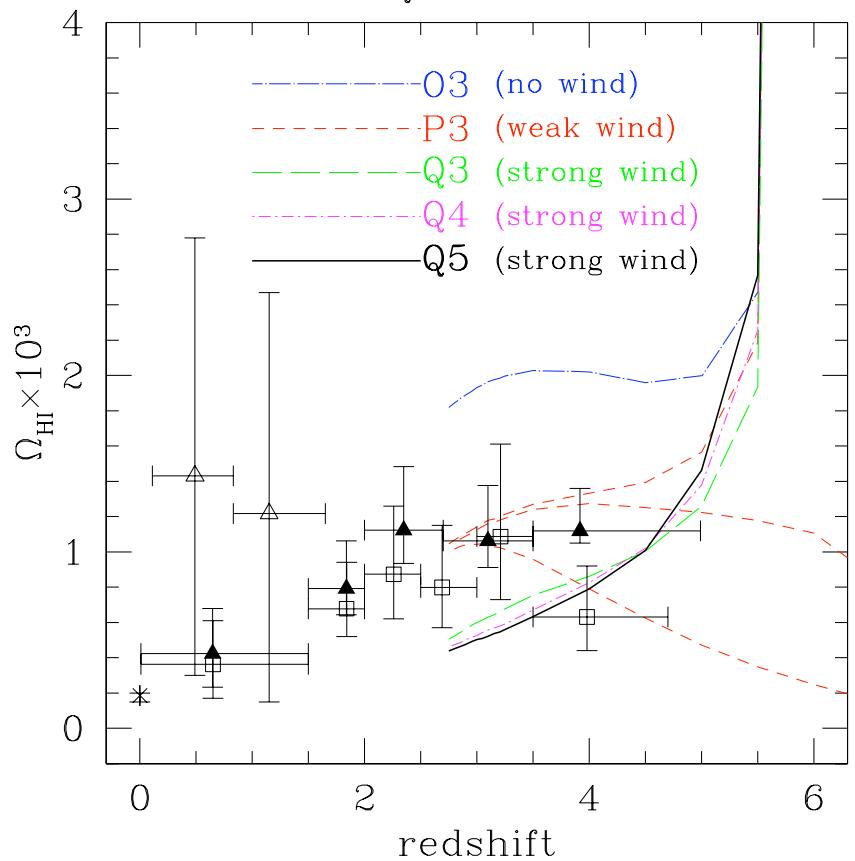
EBL

Lyman-break Galaxies at z=3-6

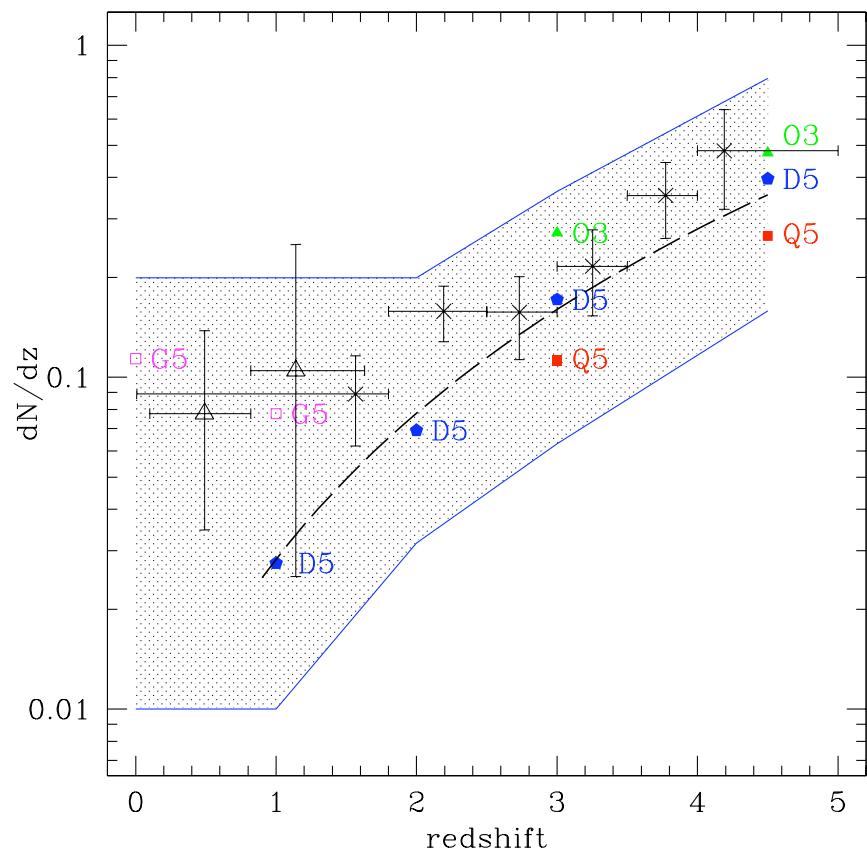


Night, KN+ 2006

HI & DLA statistics



HI mass density

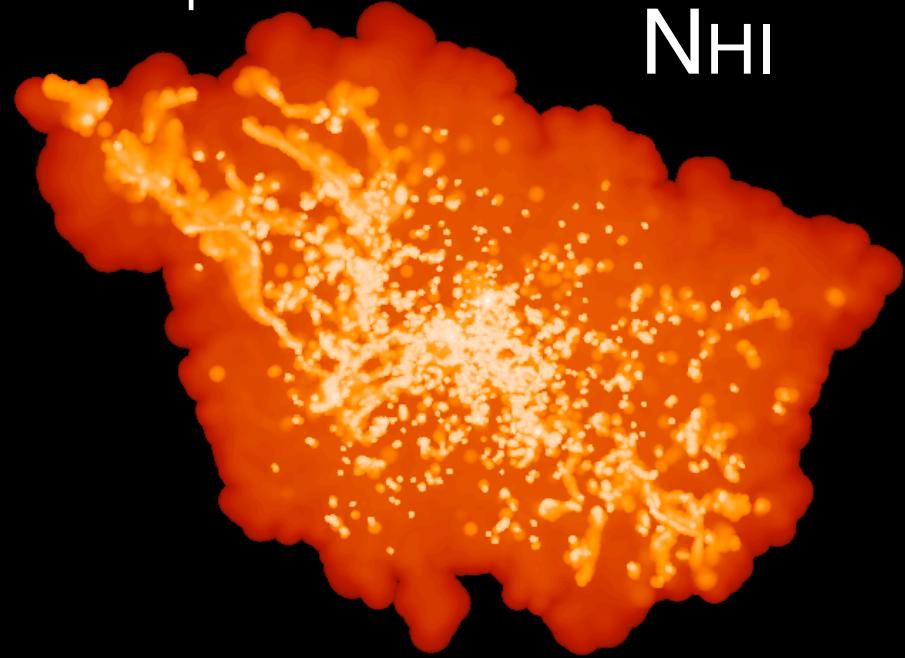


DLA rate-of-incidence

KN+ (2004a,b; 2006)

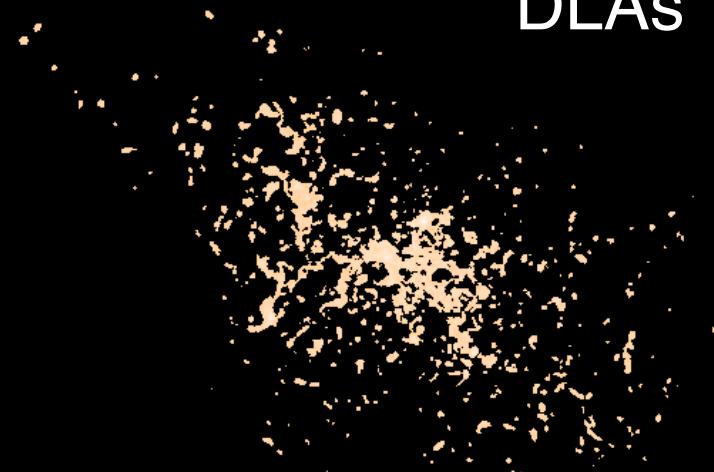
~400 kpc comv

N_HI

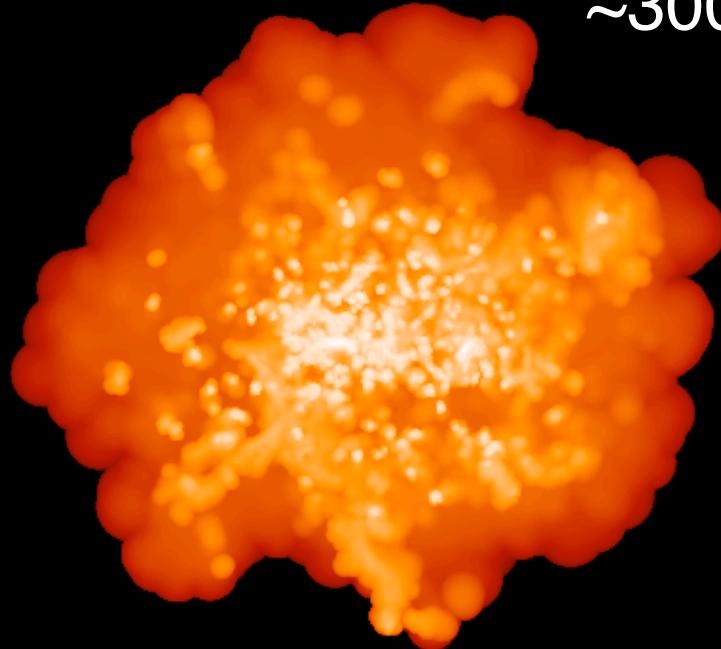


$$M_{\text{tot}} = 1.7 \times 10^{12} h^{-1} M_{\odot}$$

DLAs



~300 kpc



$$4.7 \times 10^{11} h^{-1} M_{\odot}$$



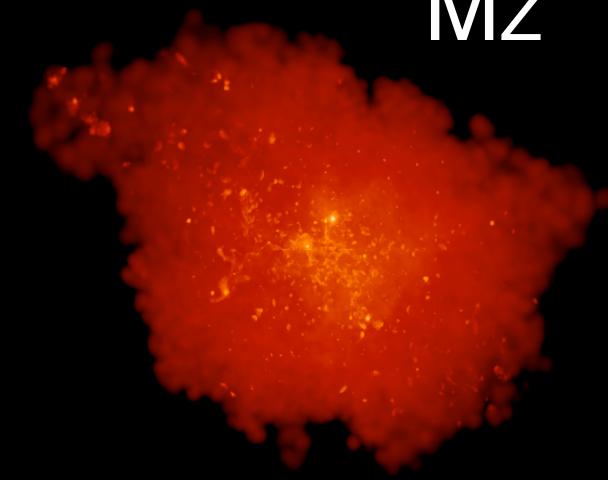
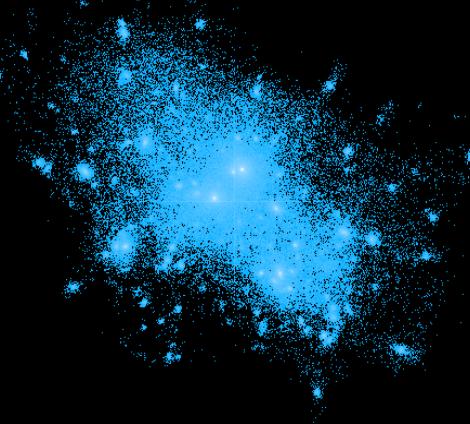
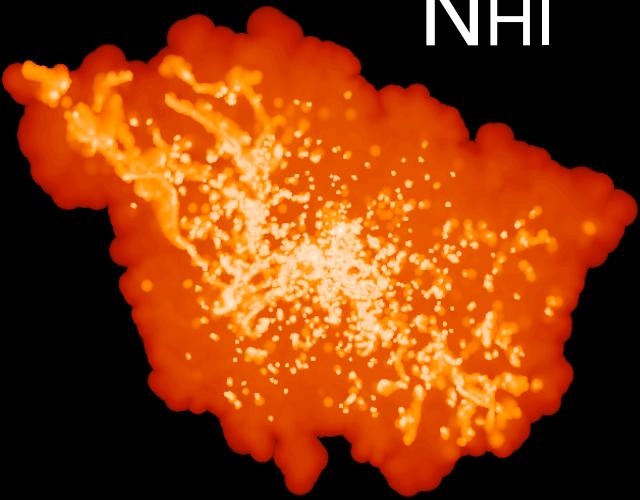
Q5 z=3

~physical 100 kpc

NHI

Mstar

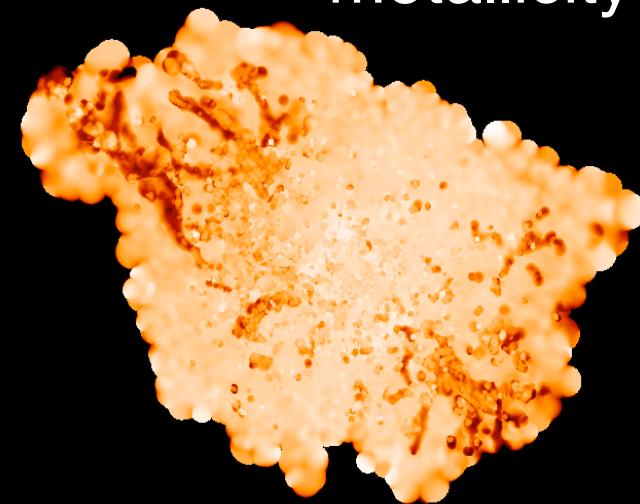
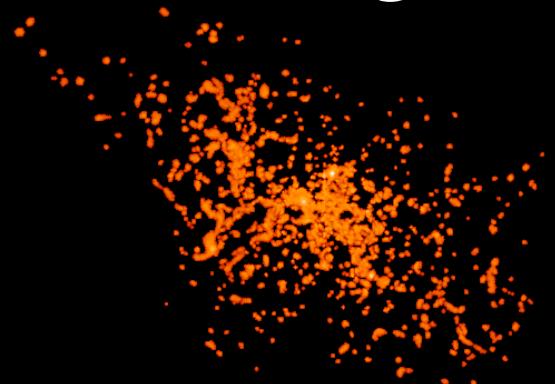
Mz

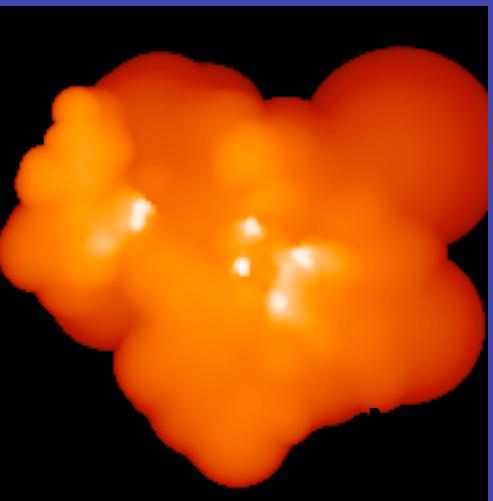


DLAS

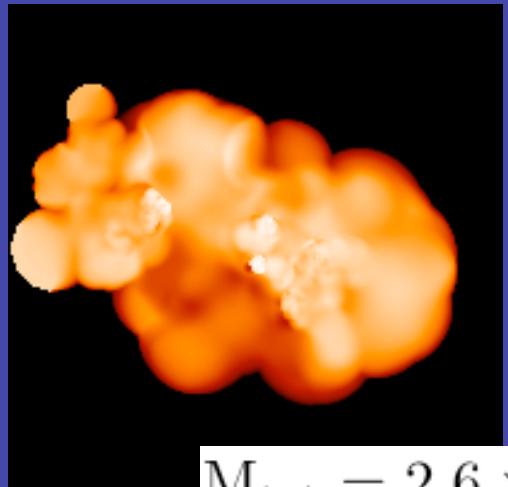
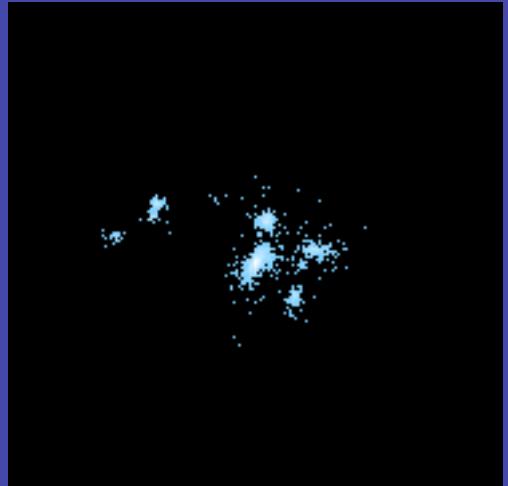
SFR

metallicity

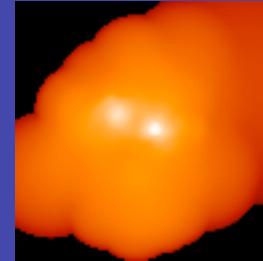




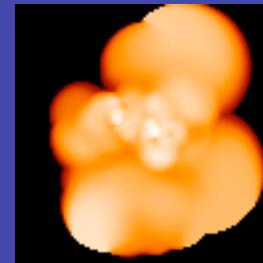
~phys 28 kpc



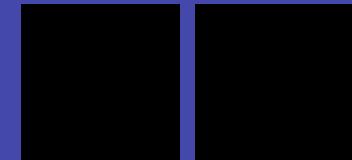
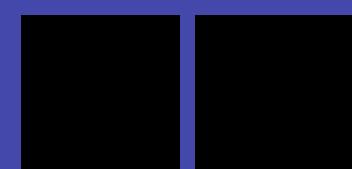
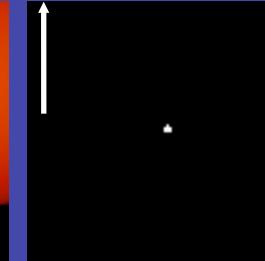
$M_{\text{tot}} = 2.6 \times 10^{10} h^{-1} M_{\odot}$



~phys 14 kpc



$2.4 \times 10^8 h^{-1} M_{\odot}$

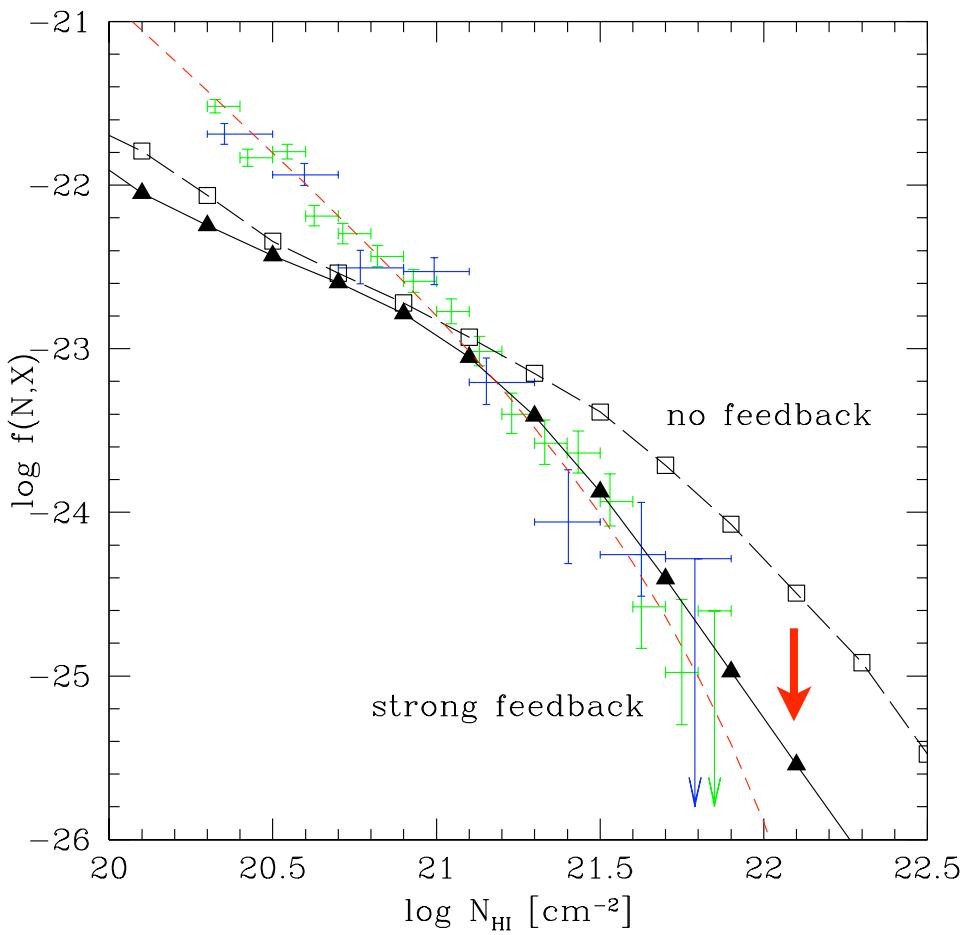


$2.4 \times 10^8 h^{-1} M_{\odot}$

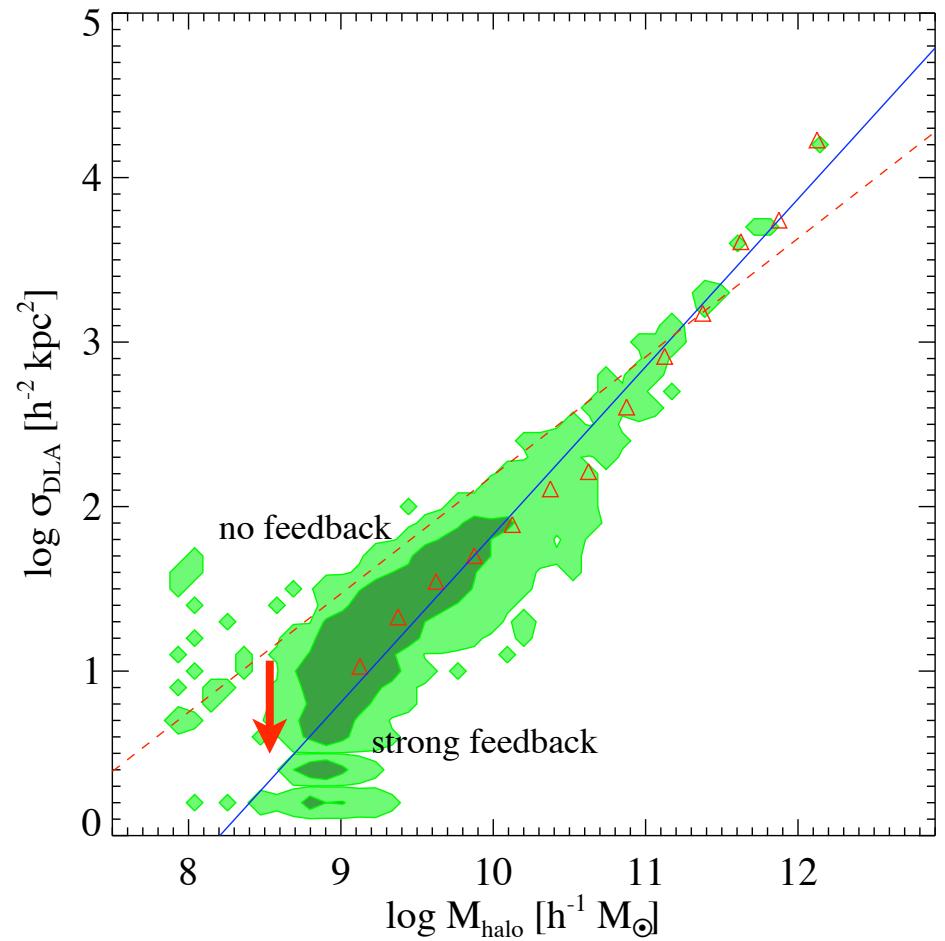
$z=3$

DLA statistics

KN+ (2004a,b; 2006)



Column density distribution function

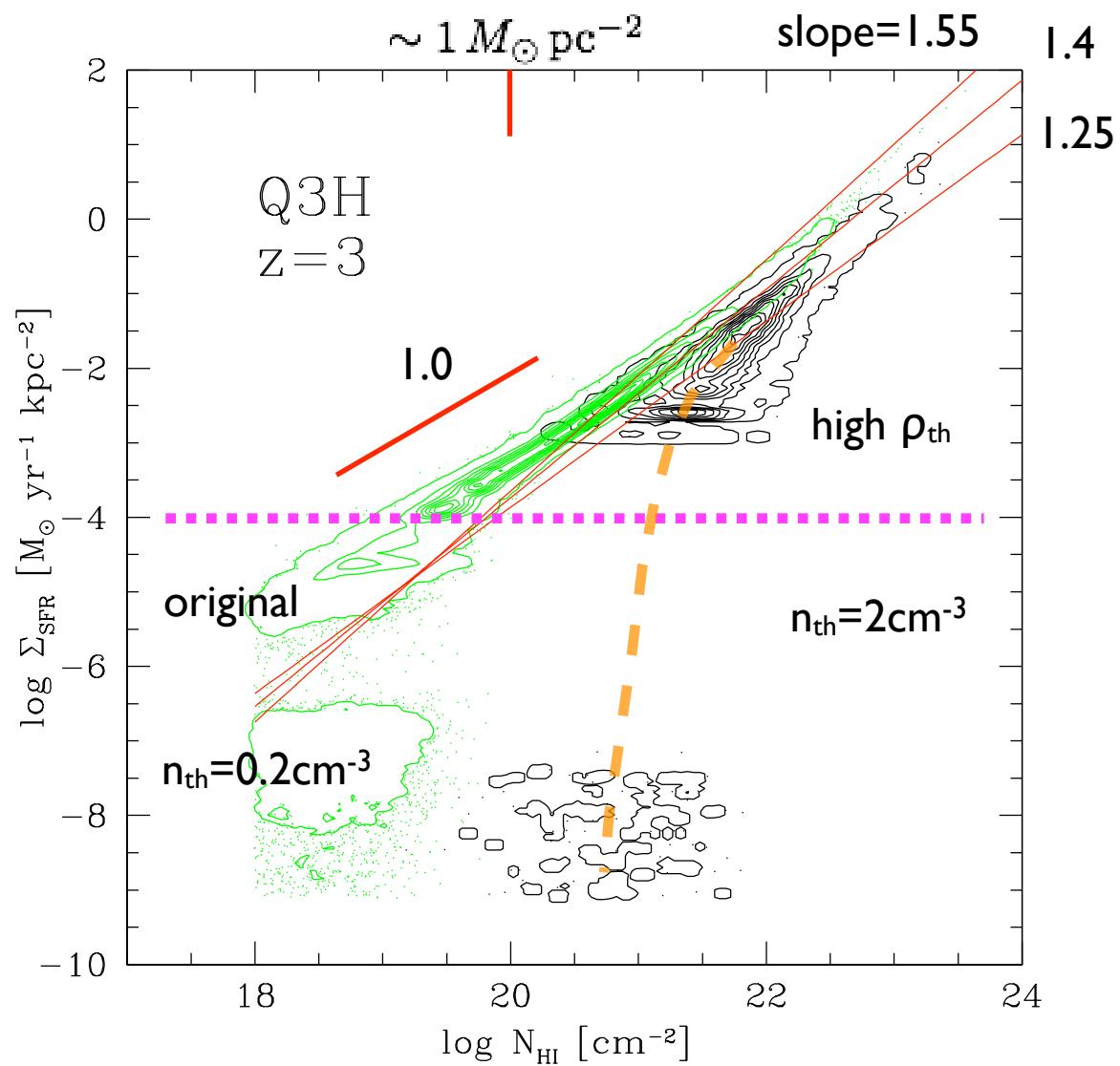


DLA cross section vs. Halo mass

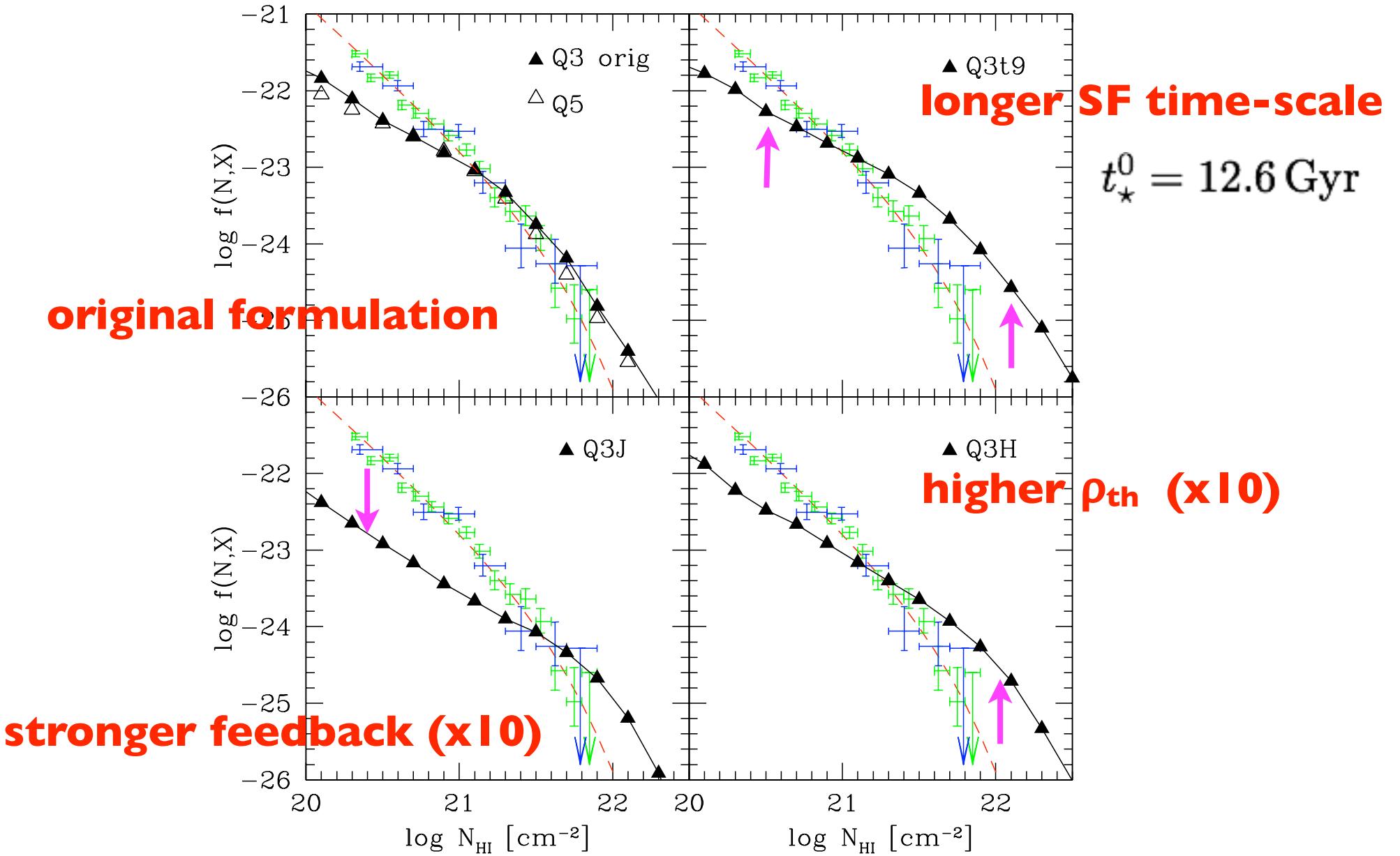
Kennicutt Law

Kennicutt Law in Cosmological SPH Simulations

- Too much SF at low N_{HI} in the original sim?
- Raising ρ_{th} seems to work better (cf. Kravtsov '03: $n=50 \text{ cm}^{-3}$)
- Making SF time-scale longer just lowers normalization



Column density distribution



Alternative SF recipe: Blitz's Pressure Criteria

Blitz's Pressure SF Criteria

$$\Sigma_{\text{SFR}} = \epsilon \Sigma_g f_{mol} \left[\frac{\Sigma_{\text{H2}}(\text{HCN})}{\Sigma_{\text{H2}}(\text{CO})} \right]$$

$$f_{mol} = \frac{\Sigma_{\text{H2}}}{\Sigma_g} = \frac{R_{mol}}{(1 + R_{mol})} = \left[1 + \left(\frac{P_{ext}}{P_0} \right)^{-\alpha} \right]^{-1}$$

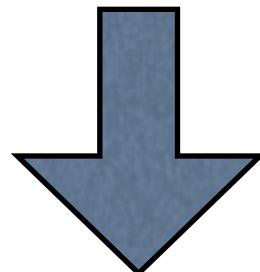
$$R_{mol} \equiv \frac{\Sigma_{\text{H2}}}{\Sigma_{\text{HI}}}$$

$$\epsilon \sim 10 \text{ Gyr}^{-1} \quad \left[\frac{\Sigma_{\text{H2}}(\text{HCN})}{\Sigma_{\text{H2}}(\text{CO})} \right] \sim 0.1$$

$$\alpha \sim 0.92 \quad P_0 = (4.3 \pm 0.6) \times 10^4 \text{ K cm}^{-3}$$

Blitz's Pressure SF Criteria

$$\Sigma_{\text{SFR}} = \frac{\Sigma_g}{\left[1 + \left(\frac{P_{ext}}{P_0}\right)^{-\alpha}\right]} \text{ Gyr}^{-1}$$



$$\dot{\rho}_\star = \frac{\rho_g}{\left[1 + \left(\frac{P_{ext}}{P_0}\right)^{-\alpha}\right]} \text{ Gyr}^{-1}$$

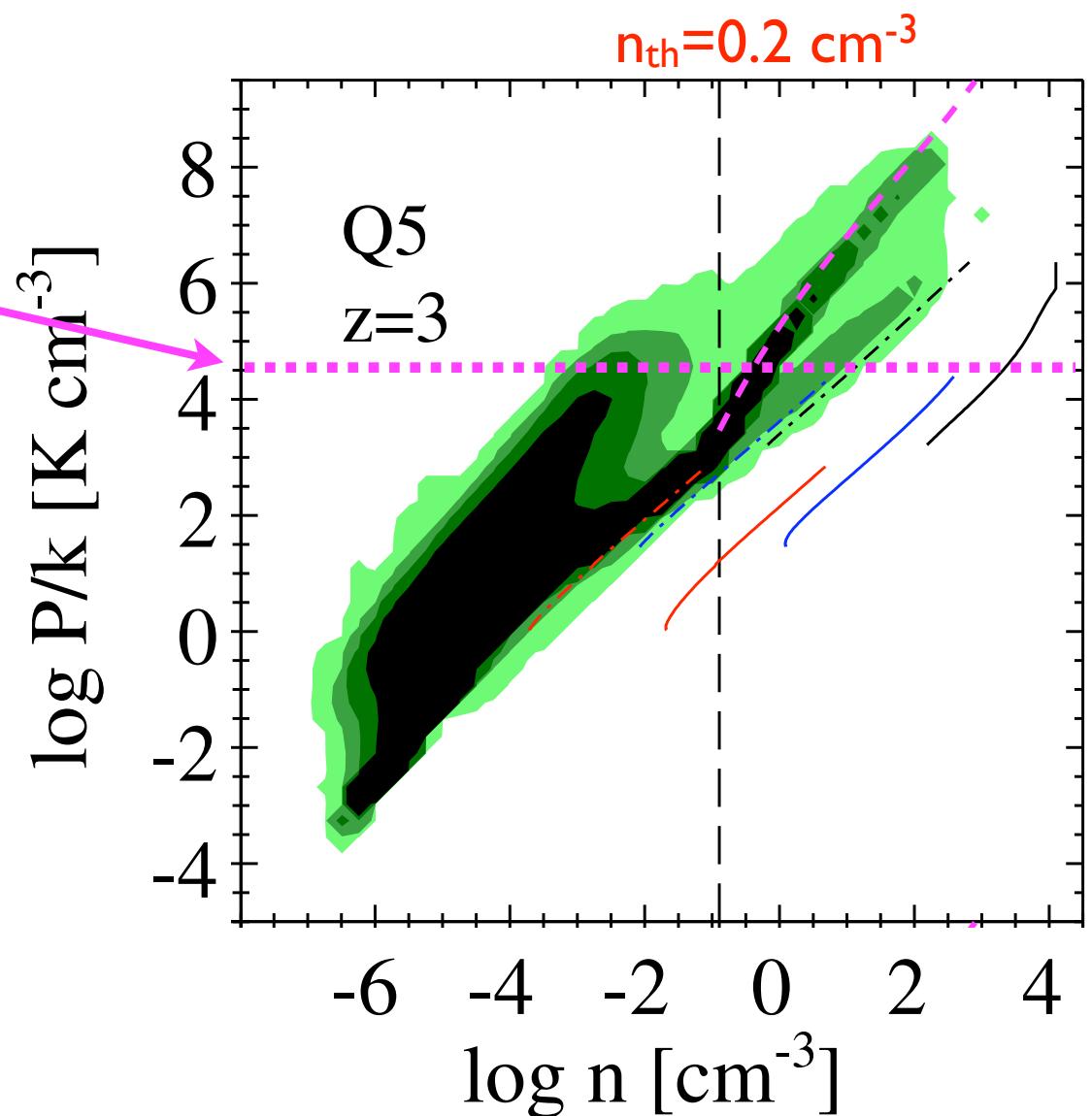
(cf. Kravtsov '03: $\dot{\rho}_\star \propto \rho_g$)

Pressure-density diagram in cosmological SPH simulation

Blitz' external ISM pressure ' P_0 '
when the molecular fraction is
unity

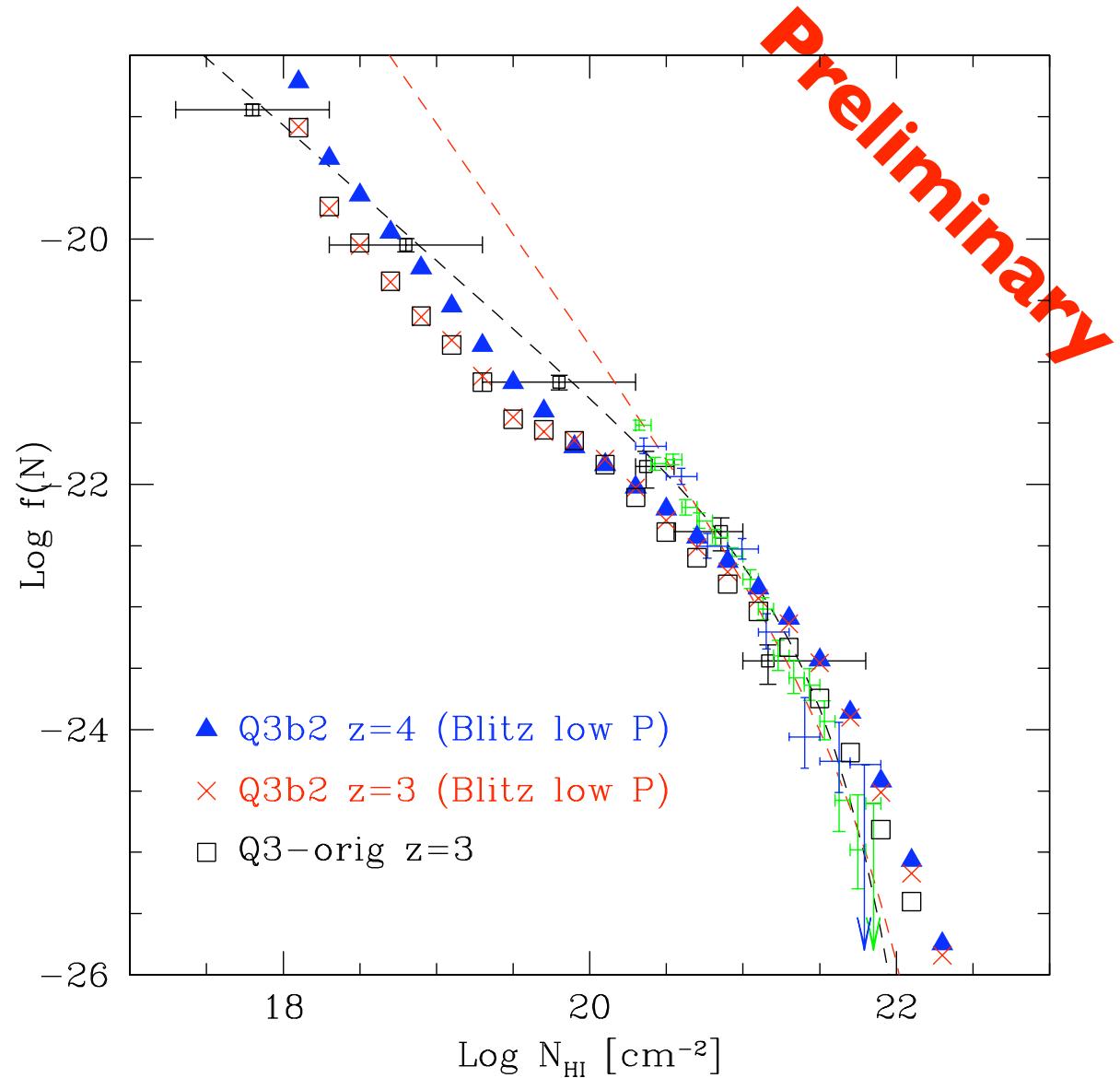
Test run:

Q3b:
Blitz's low pressure +
S&H (at $P > P_0$)



$f(N_{\text{HI}})$ with Blitz SF criteria

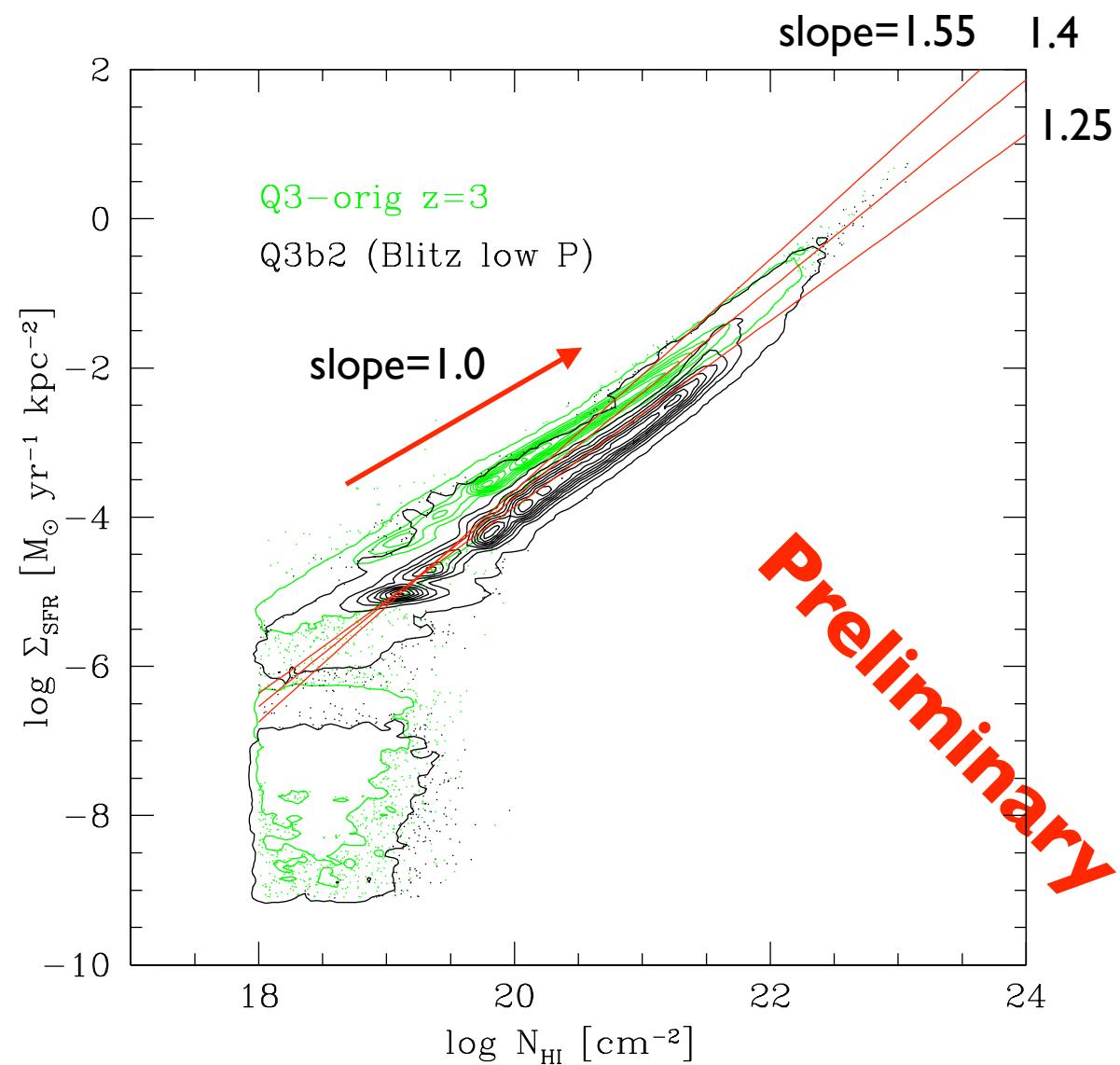
- Some overprediction at $\log N_{\text{HI}} > 21$.



Blitz SF criteria

- slope became closer to 1.4.
(encouraging)

green contour: original Q3 run
(10 Mpc/h, 2x144³, S&H SF model)



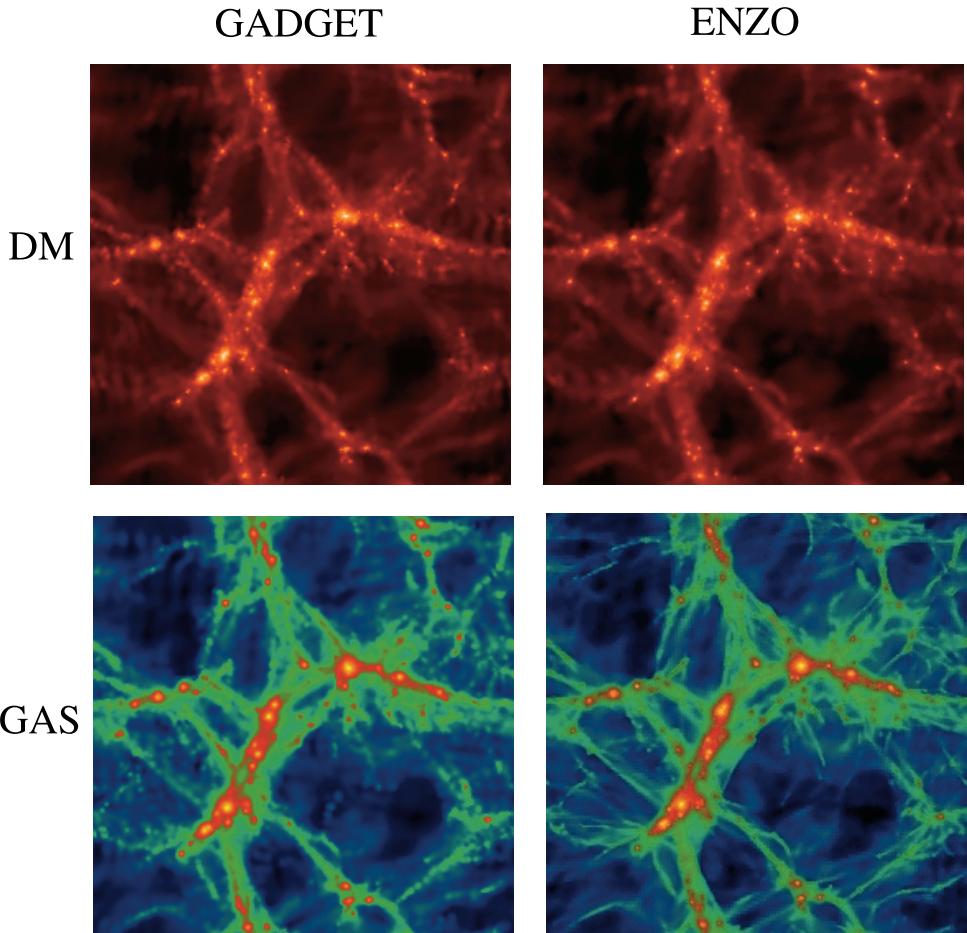
Problems in Current Cosmological Simulations

- Inadequate resolution
- Angular momentum transfer problem
- Feedback by SNe and BHs
- Radiative Transfer

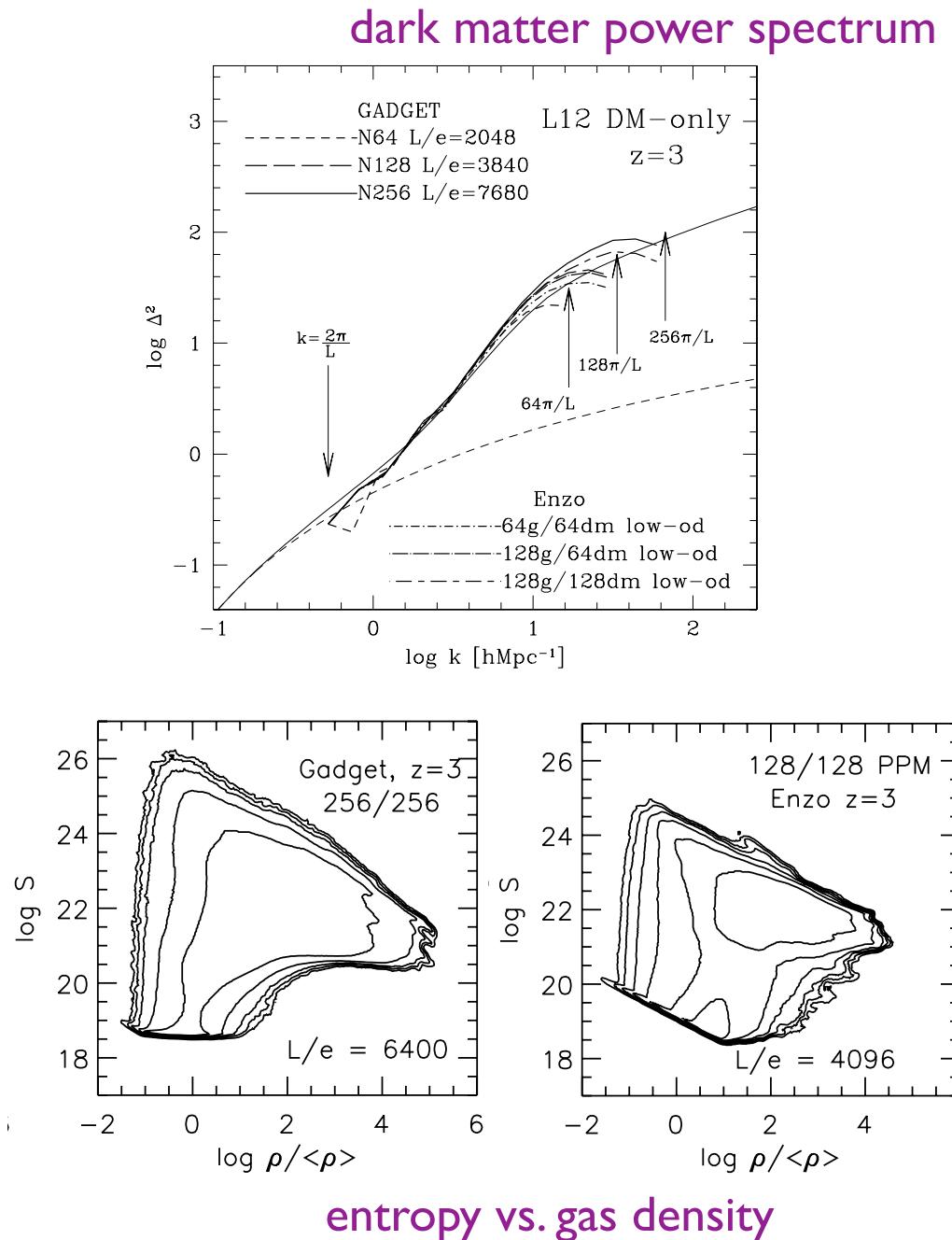
Future efforts

- Higher resolution: $1000^3 - 2000^3$
- More realistic models of SF and feedback -- multiphase ISM
- Radiative transfer
- Code comparisons: e.g. AMR vs. SPH
(Adaptive Mesh Refinement vs. Smoothed Particle Hydrodynamics)

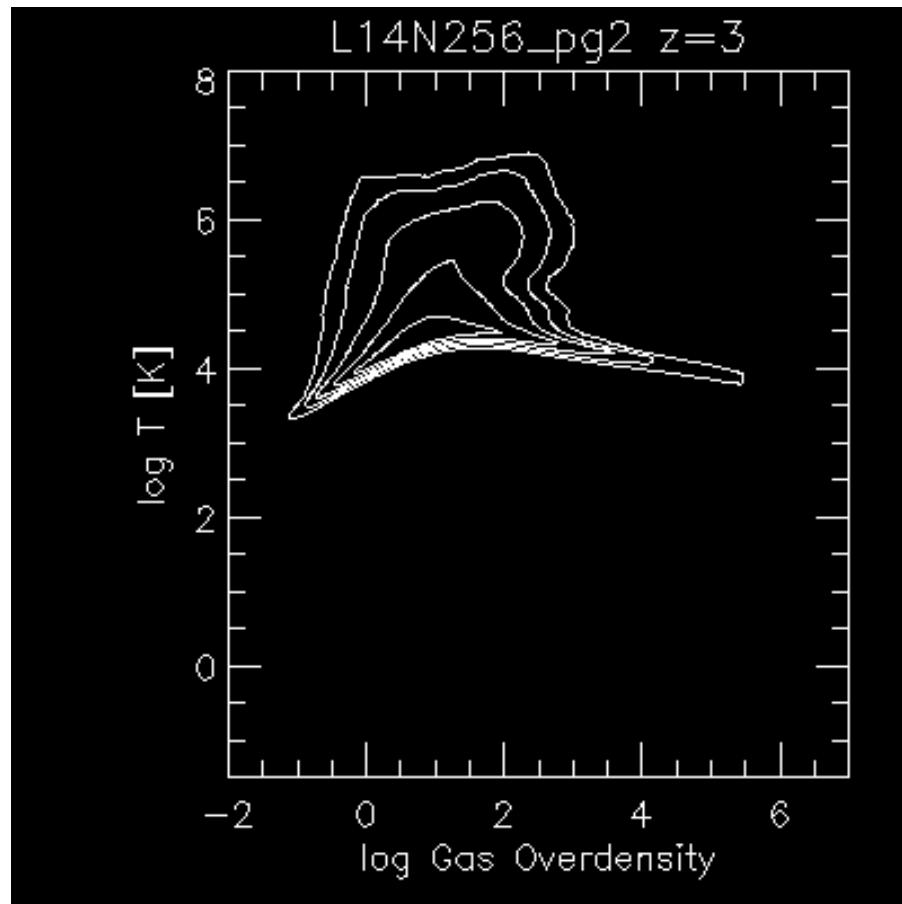
Code comparison: SPH vs. AMR



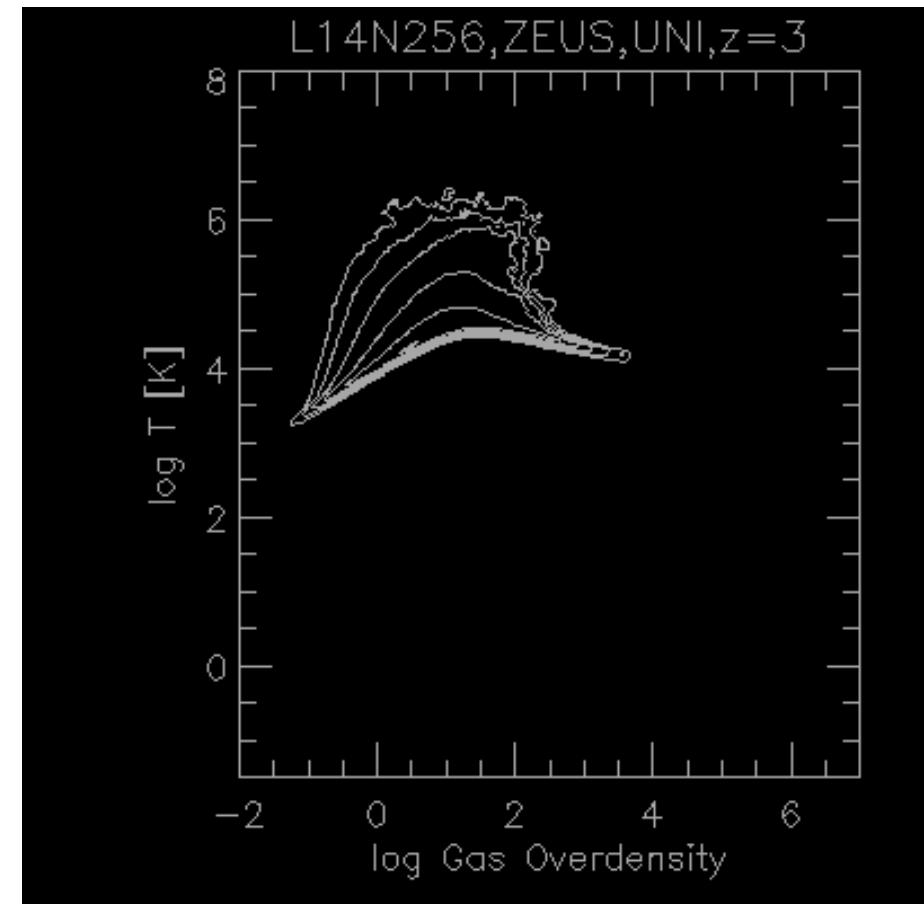
O'Shea, KN + 2005



Extending the comparison to the runs with cooling & SF



Gadget SPH



Enzo AMR

The End